

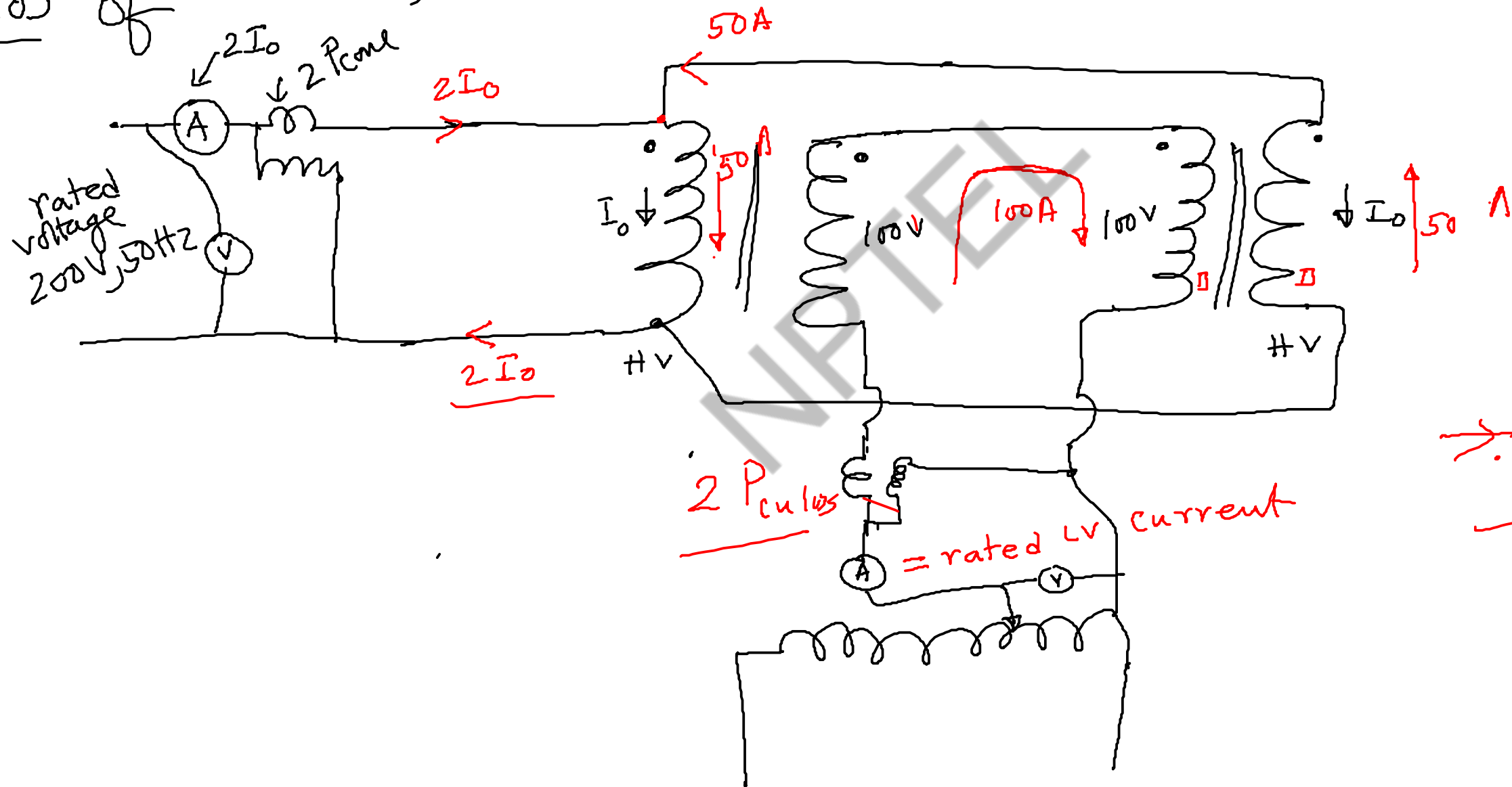
Sumner's Test (Back to Back test)

2 nos of

10 KVA,

$$200\text{V} / 100\text{V}, 50\text{Hz}$$

$$\rightarrow \frac{15000}{100} = 150A$$

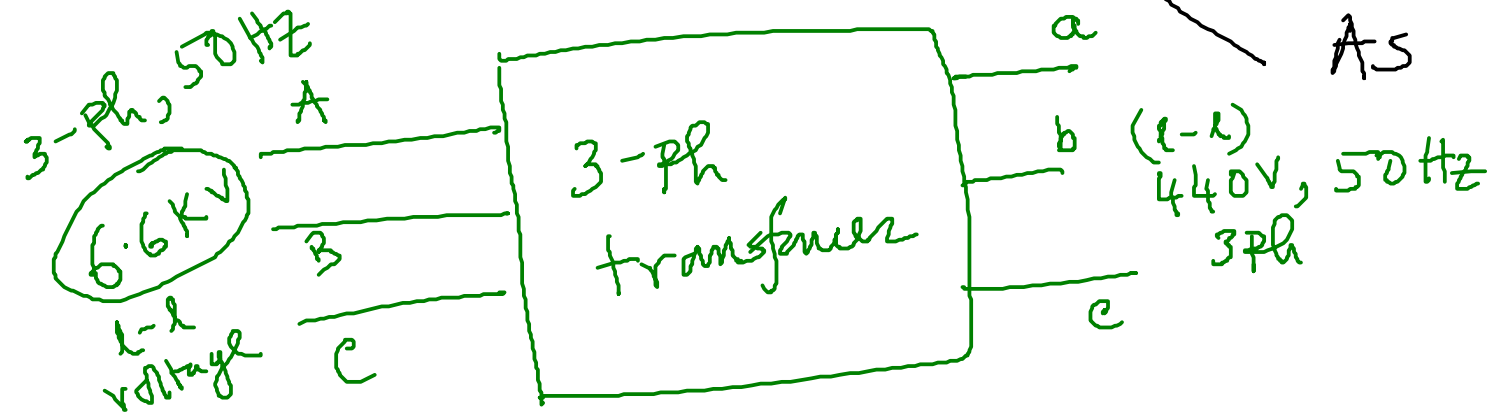


2 P_{cu lws}

= rated LV current

3-Phase transformer

✓ use 3 nos. of identical ^{1-ph} transformers (bank of 3-ph. tfrs)
As a single unit



Lec-34

NPTEL

Supply

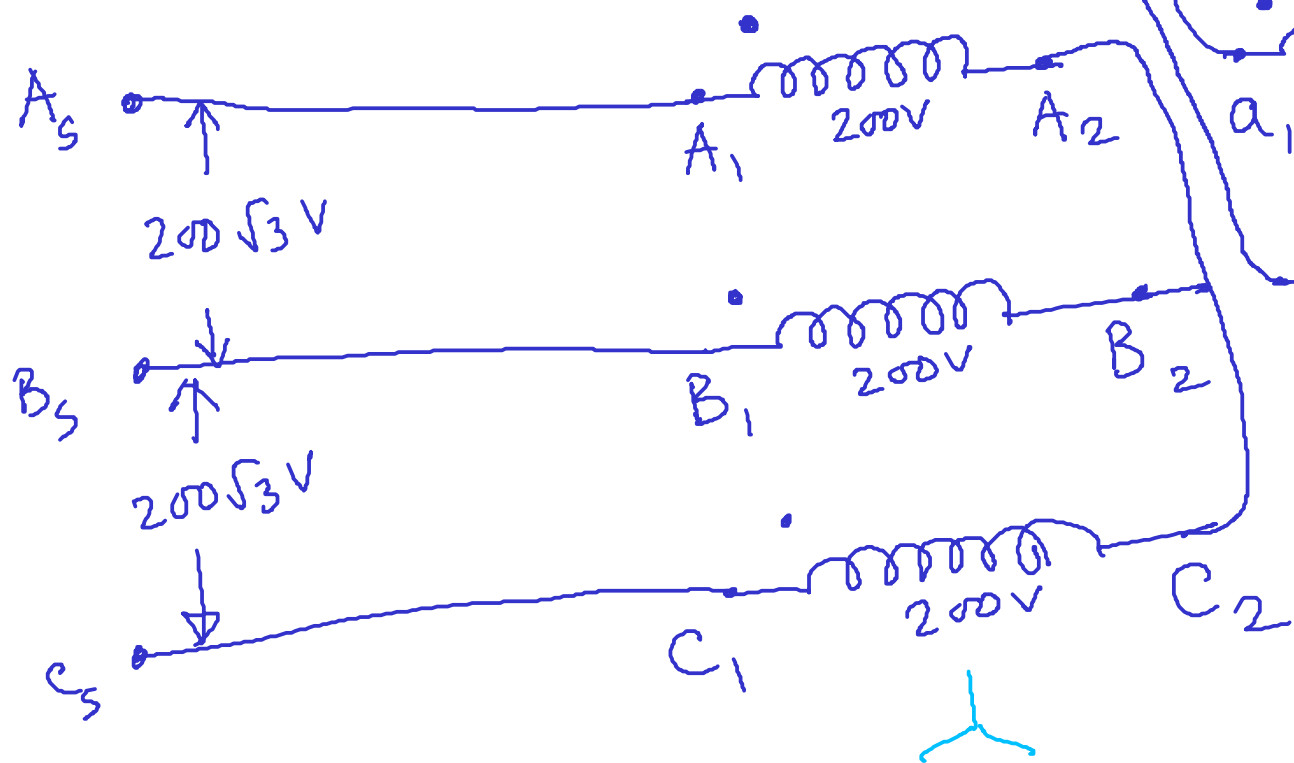
5 kVA, 200V/100V, 50 Hz 1-ph tfo $\rightarrow$ 3 such transformers.

$$I_{Hv \text{ rated}} = \frac{5000}{200} = 25 \text{ A}$$

$$I_{Lv \text{ rated}} = 50 \text{ A}$$

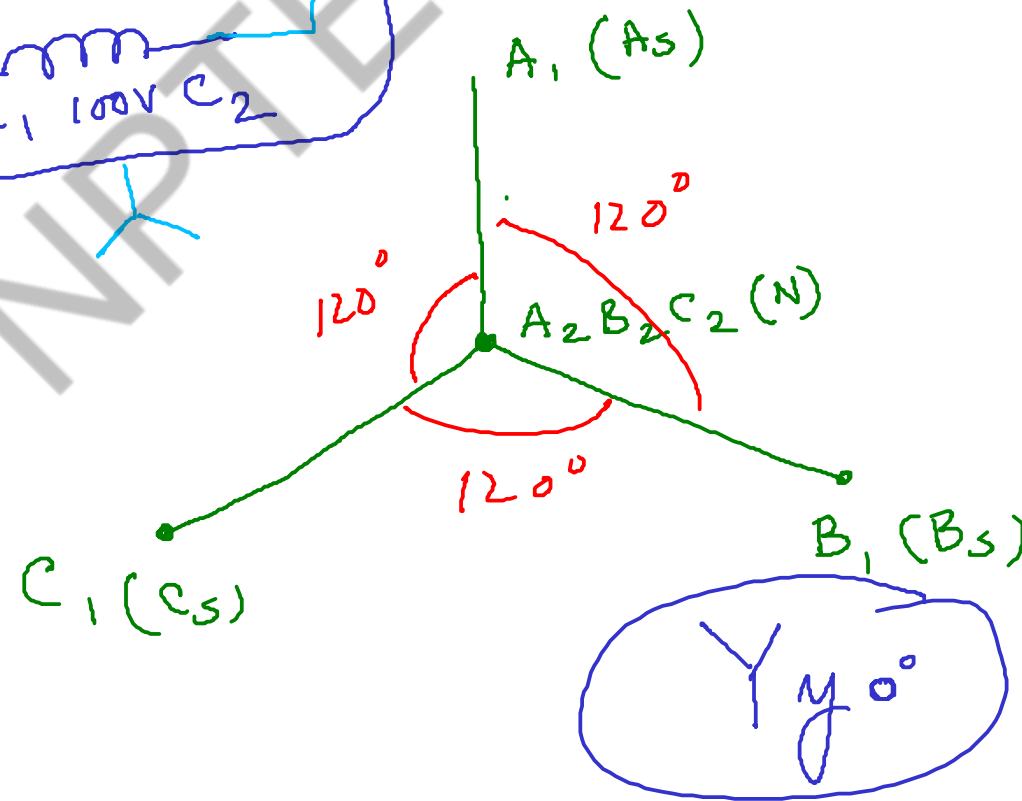
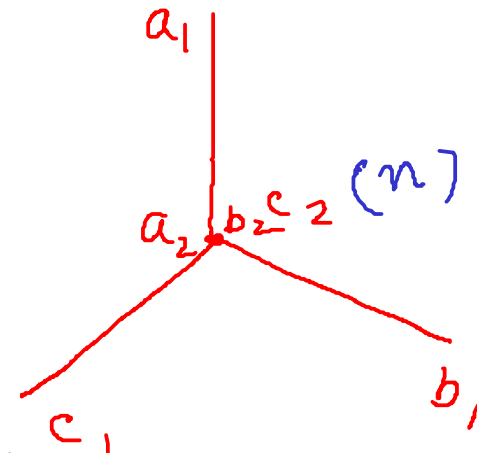
Supply terminals
 A_s, B_s, C_s
 ph. seq. $\therefore A_s B_s C_s$

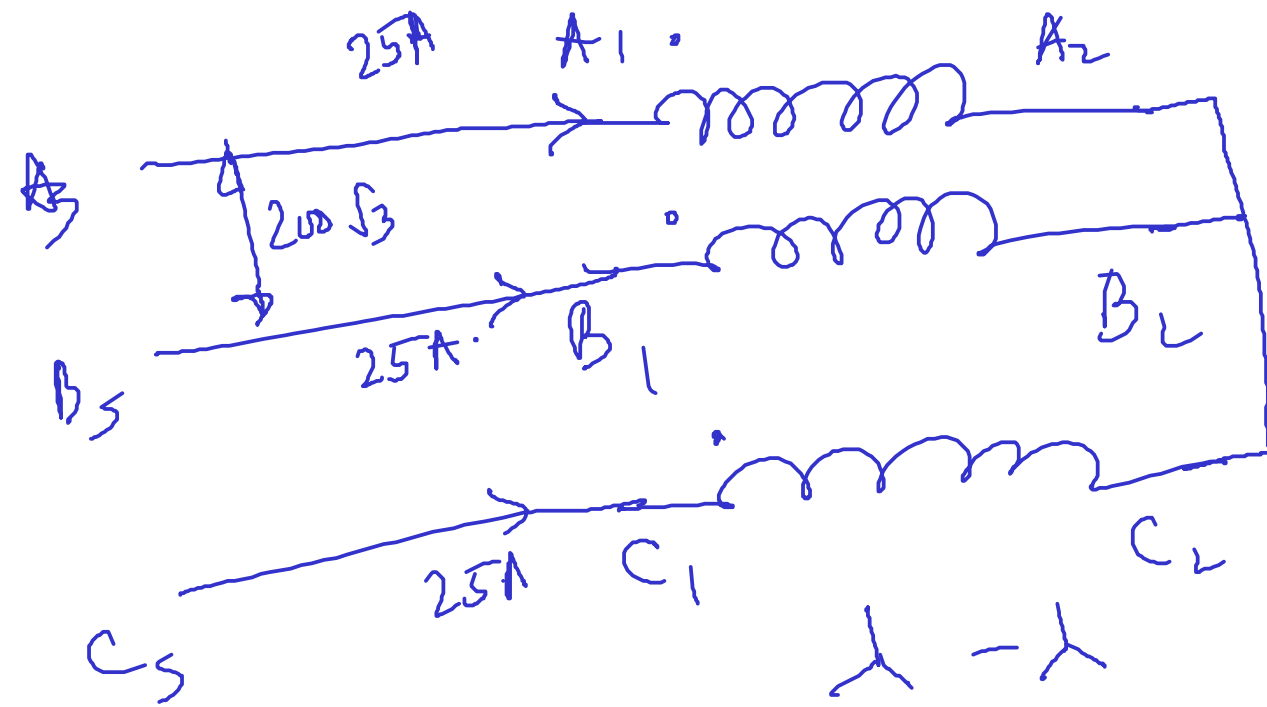
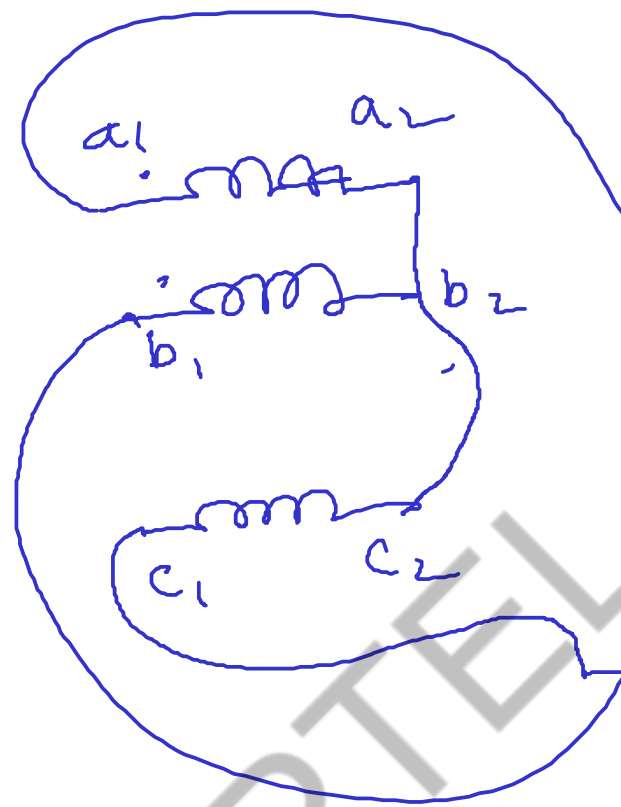
output
 terminals
 going to
 3-ph. load.



$$V_{LL} = 200\sqrt{3}$$

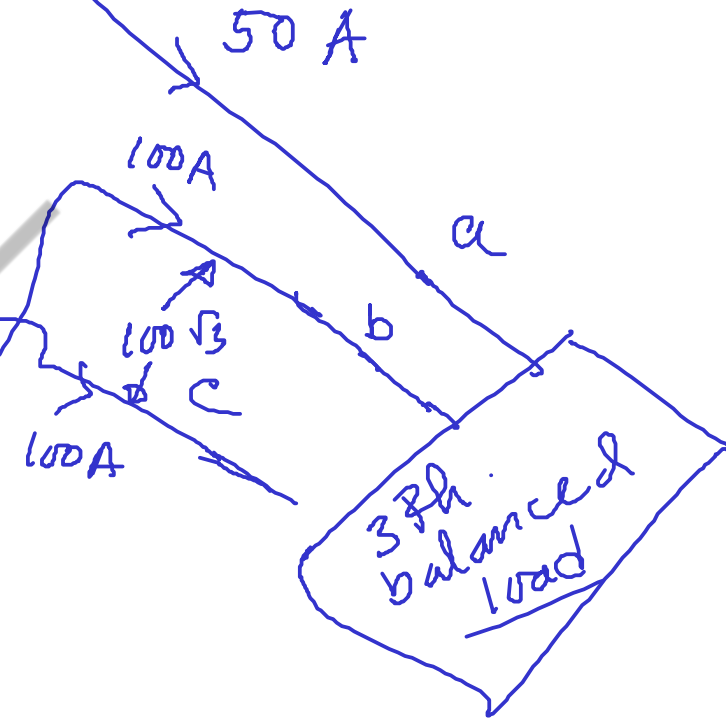
$$V_{2LL} = 100\sqrt{3}$$





5kVA, 200V/100V
(25A) (50A)

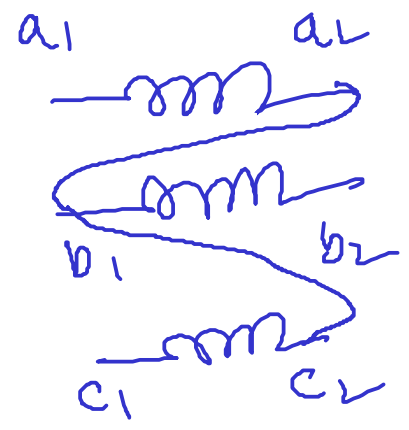
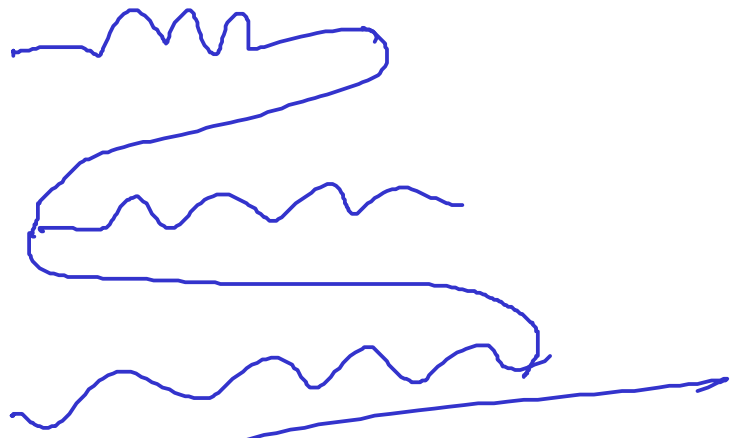
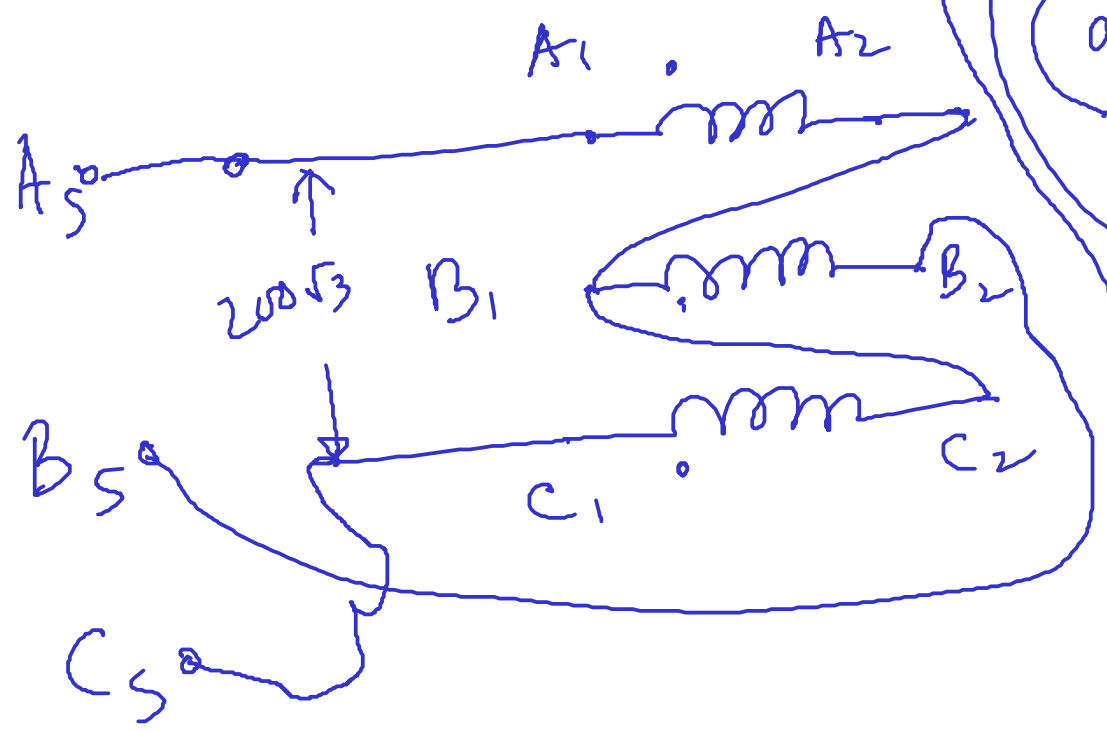
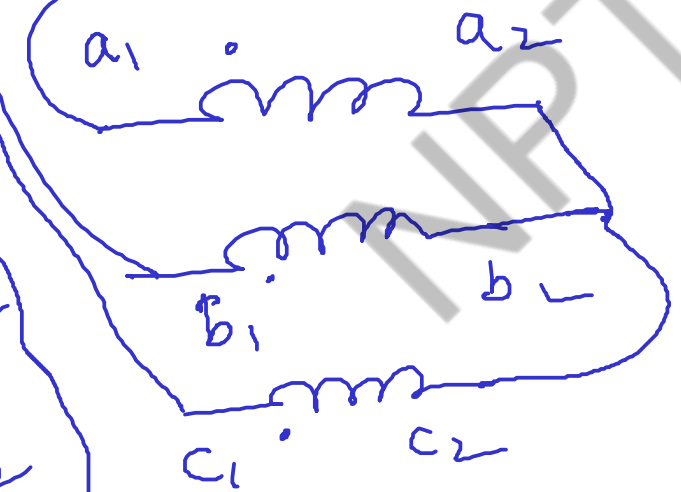
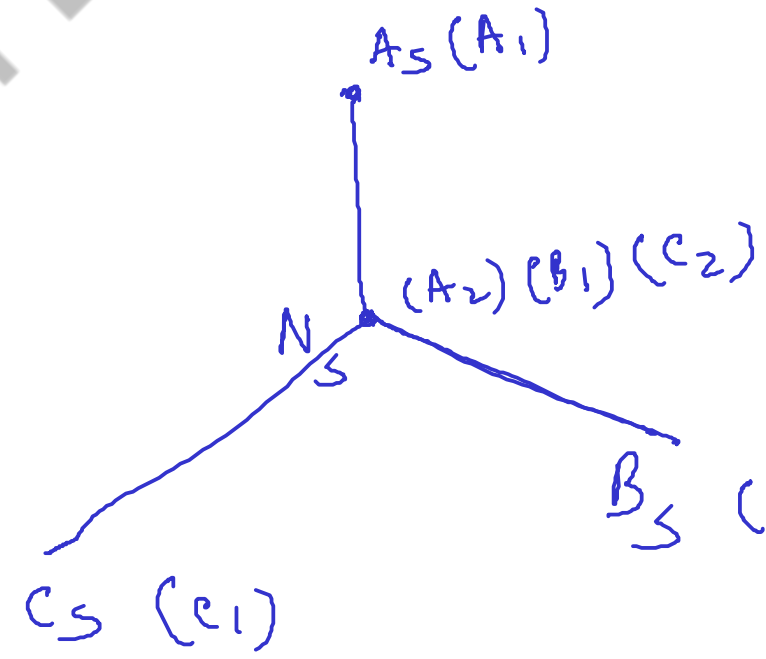
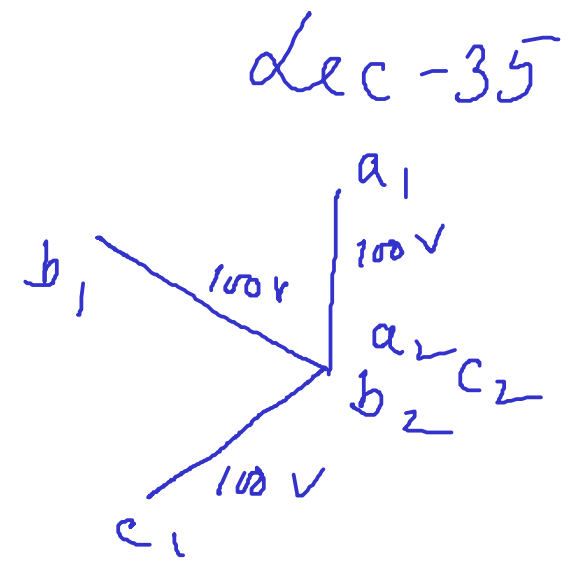
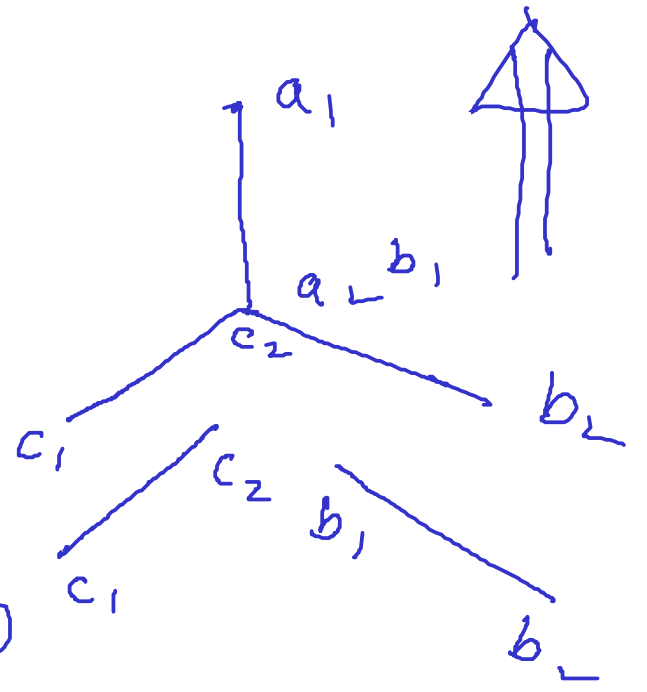
1ph. tfo
3 nos.

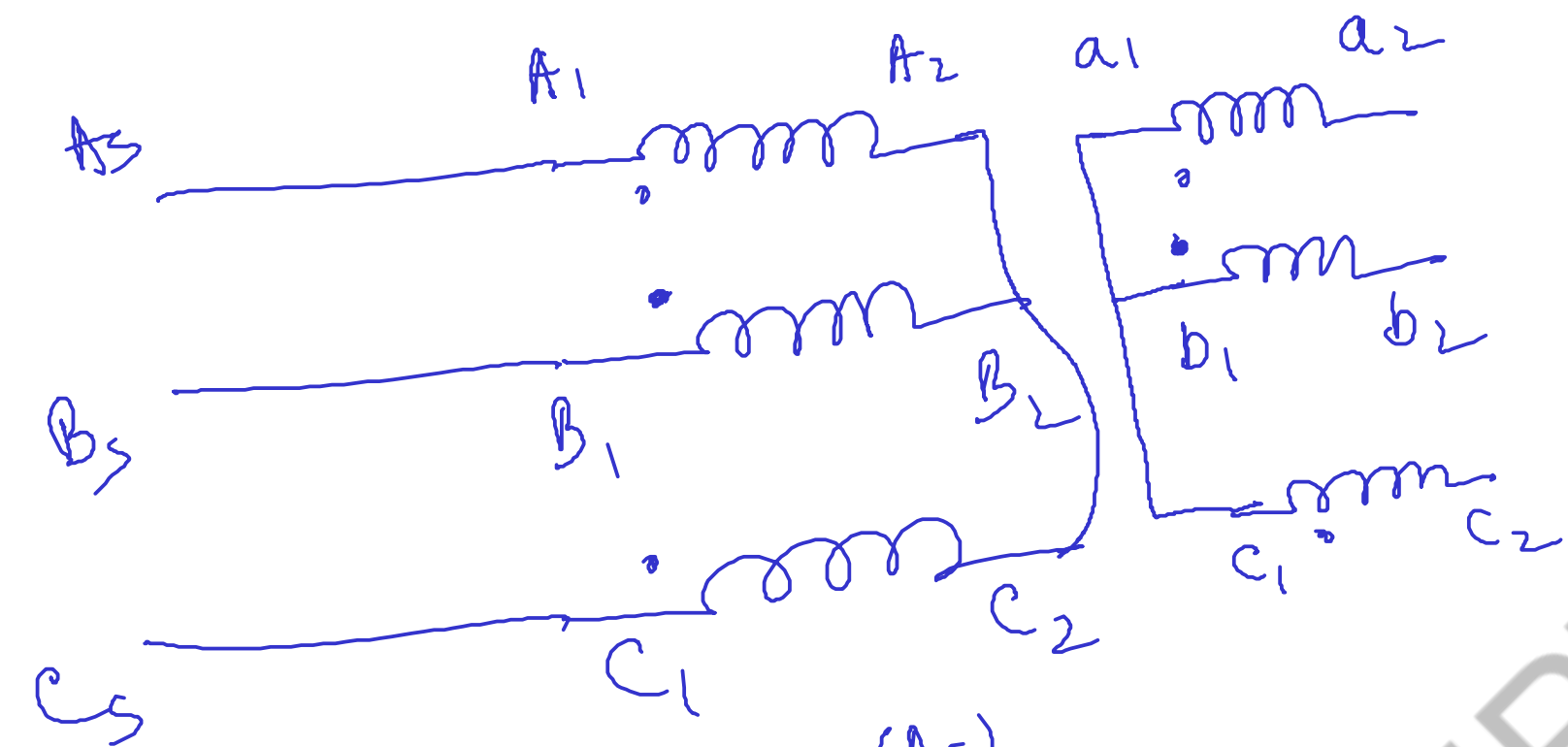
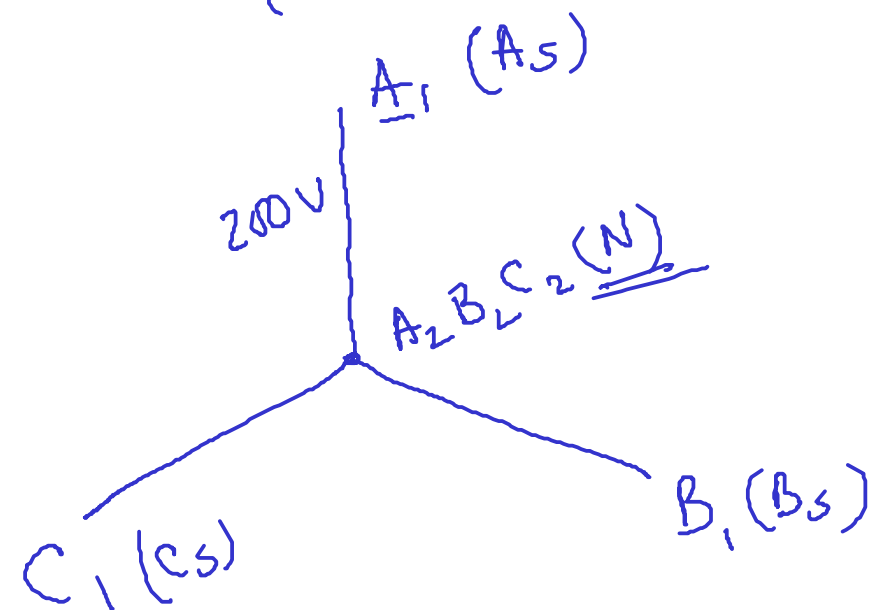
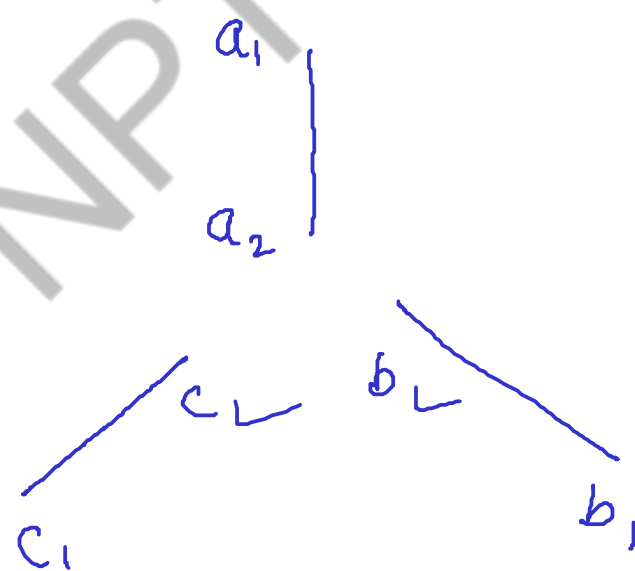
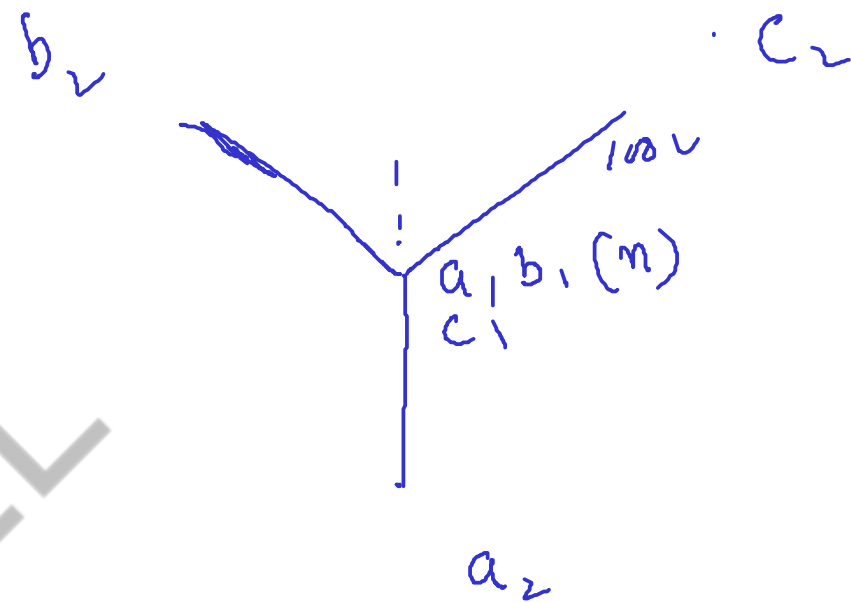


Total kVA
will become as a 3ph
tfo : $\sqrt{3} V_{LL} I_L$

$$= \sqrt{3} \times 100\sqrt{3} \times 50 \text{ VA} = 15 \text{ kVA}$$

$$= \sqrt{3} \times 200\sqrt{3} \times 25 \text{ VA} = \underline{15 \text{ kVA}}$$

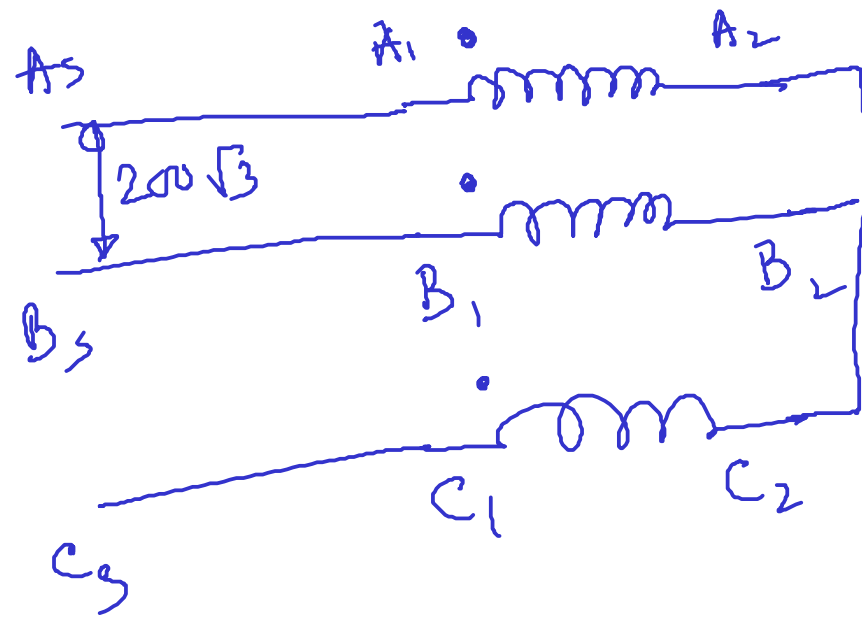
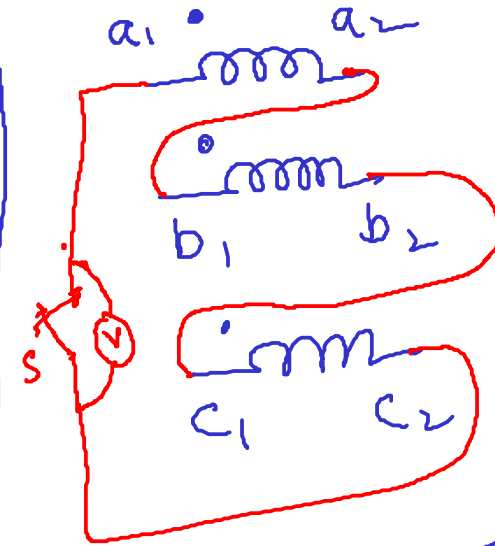
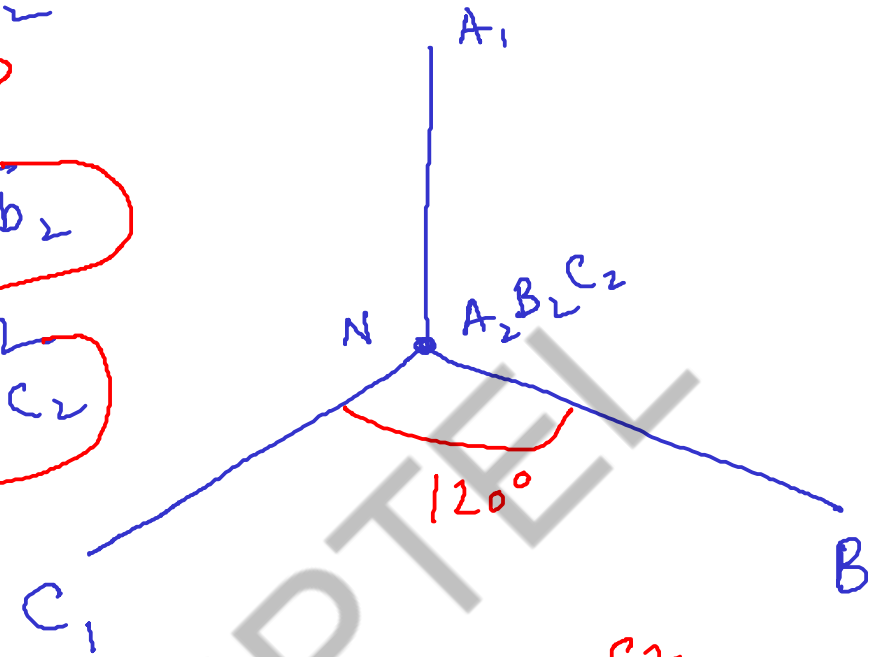




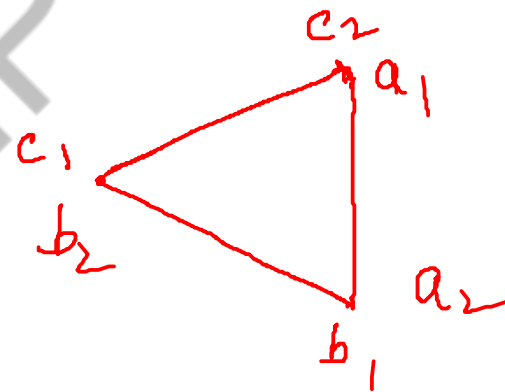
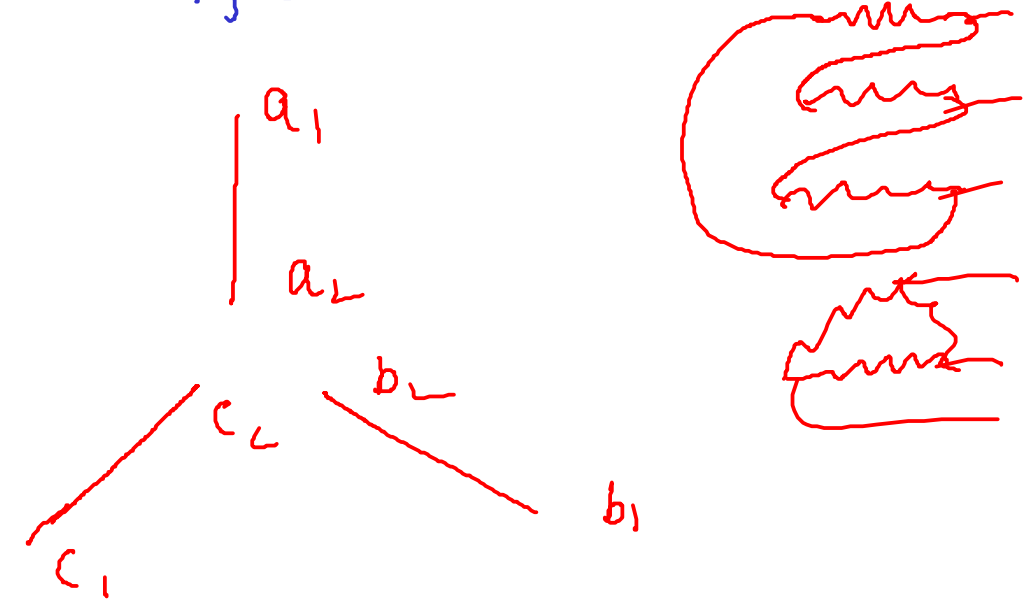
$$Y_{y180^\circ} \equiv Y_{y6}$$

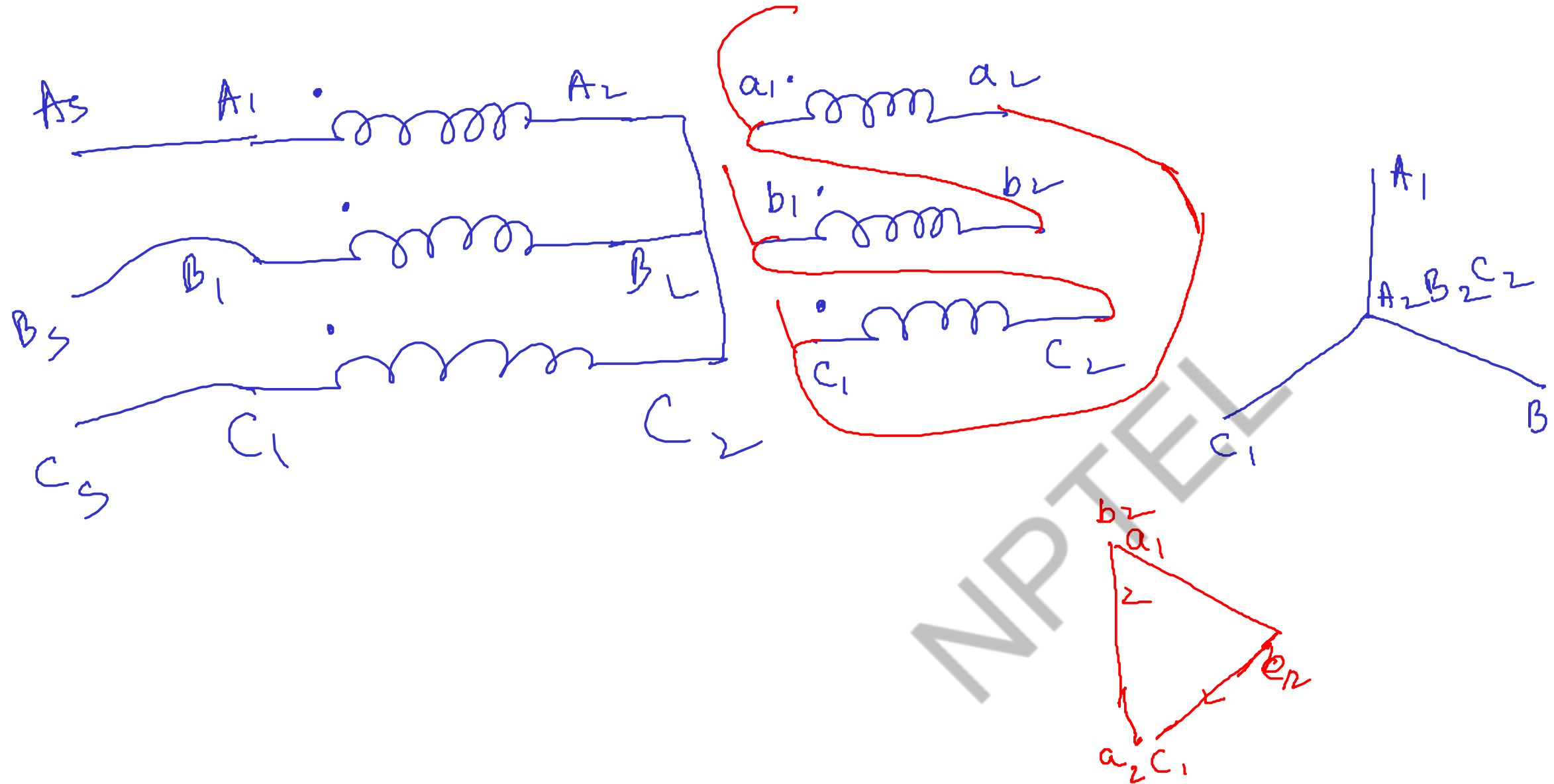
Star-Delta connection:-

3 nos. of 1ph 200V/100V, 5KVA, 50Hz
tfo



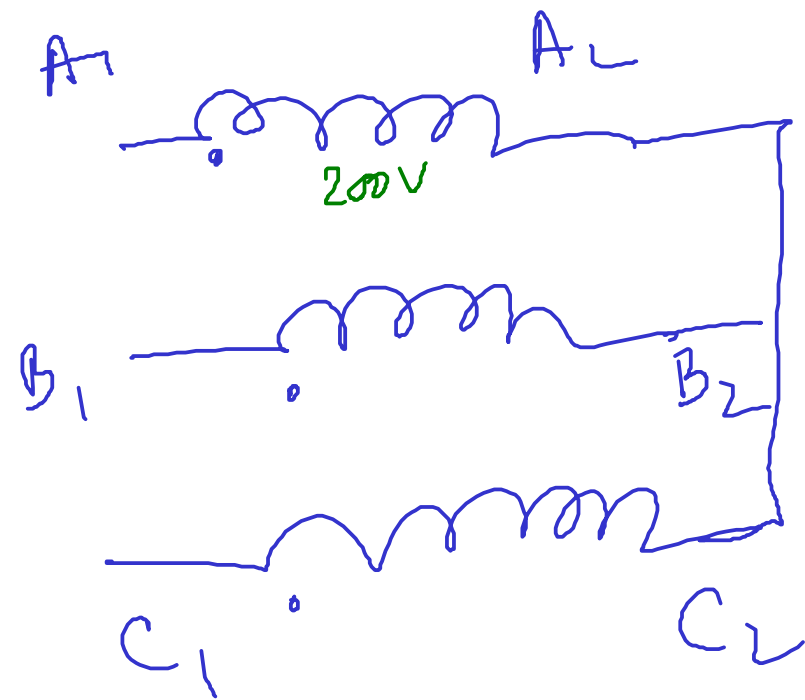
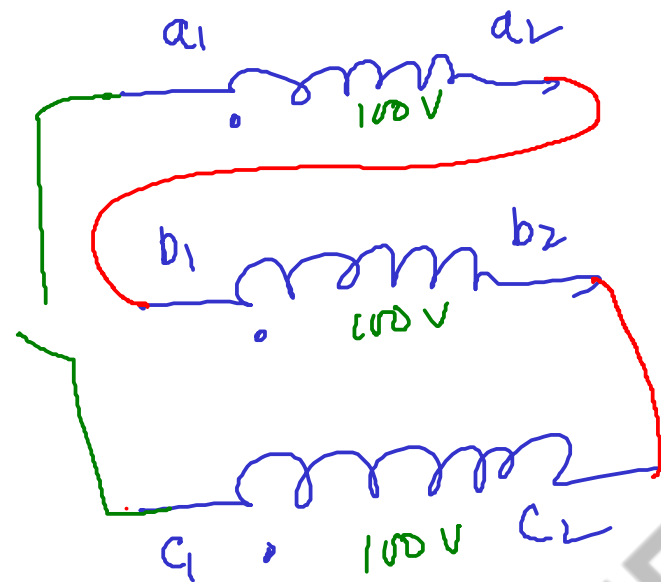
$$V_{c_2 a_1} = 0$$





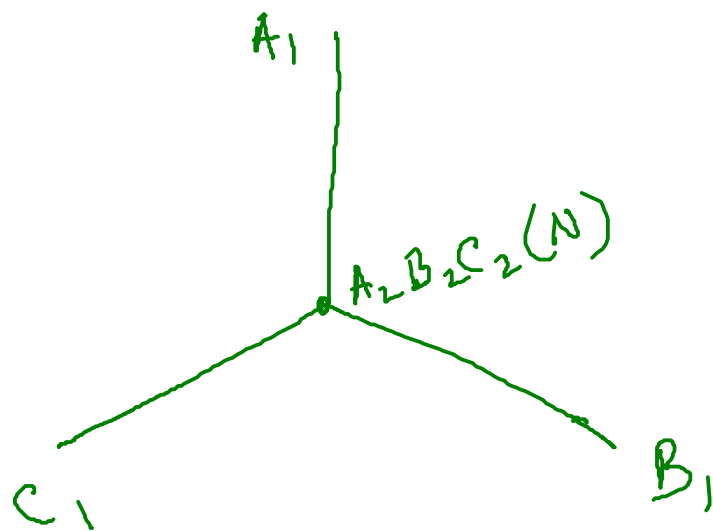
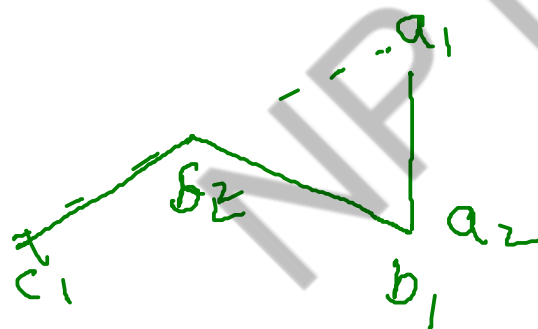
Dec-36

a_1
 a_2
 b

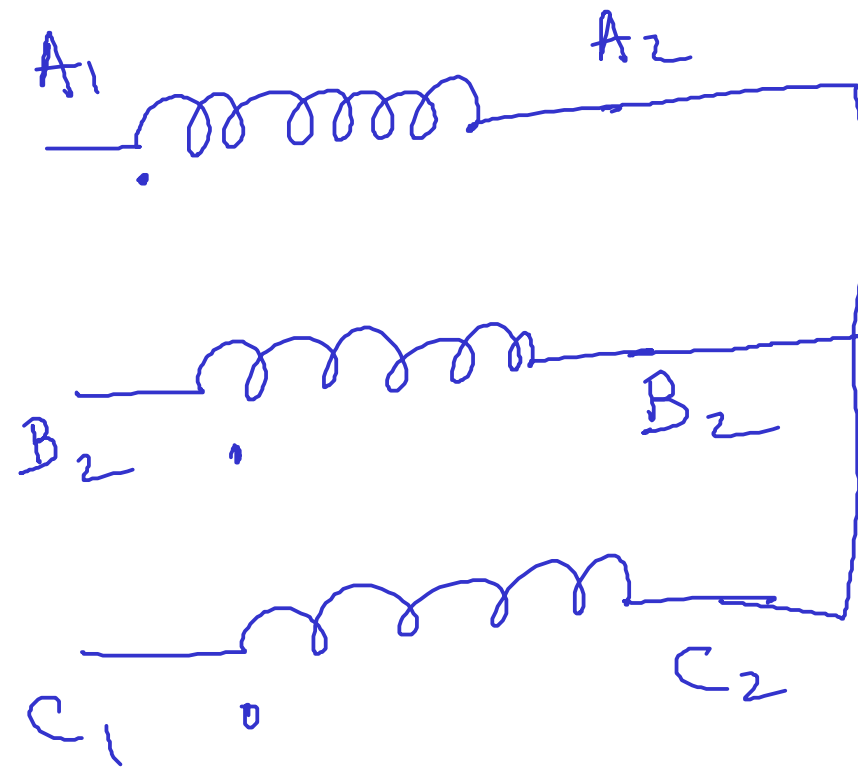


Not proper delta connection.

$V_{a,c} = 200V$
when
S is opened

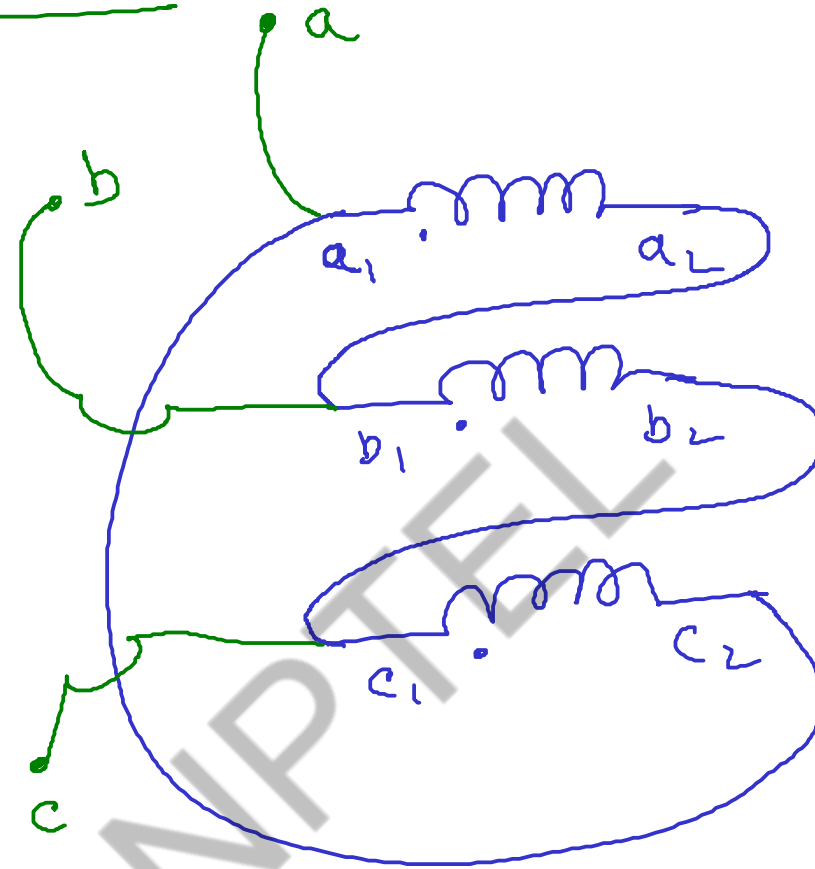


Star-Delta connection :-

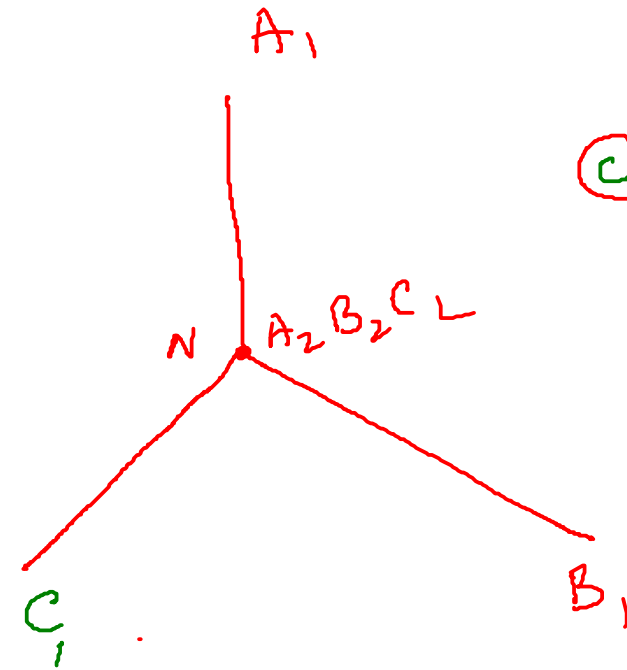
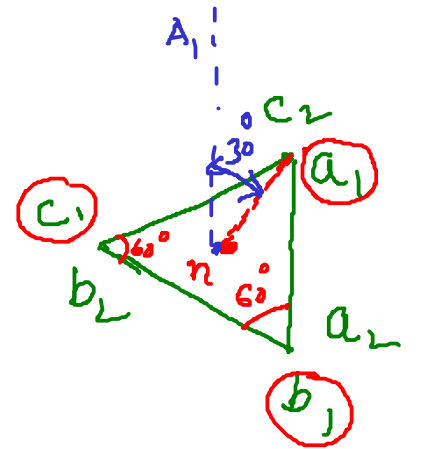


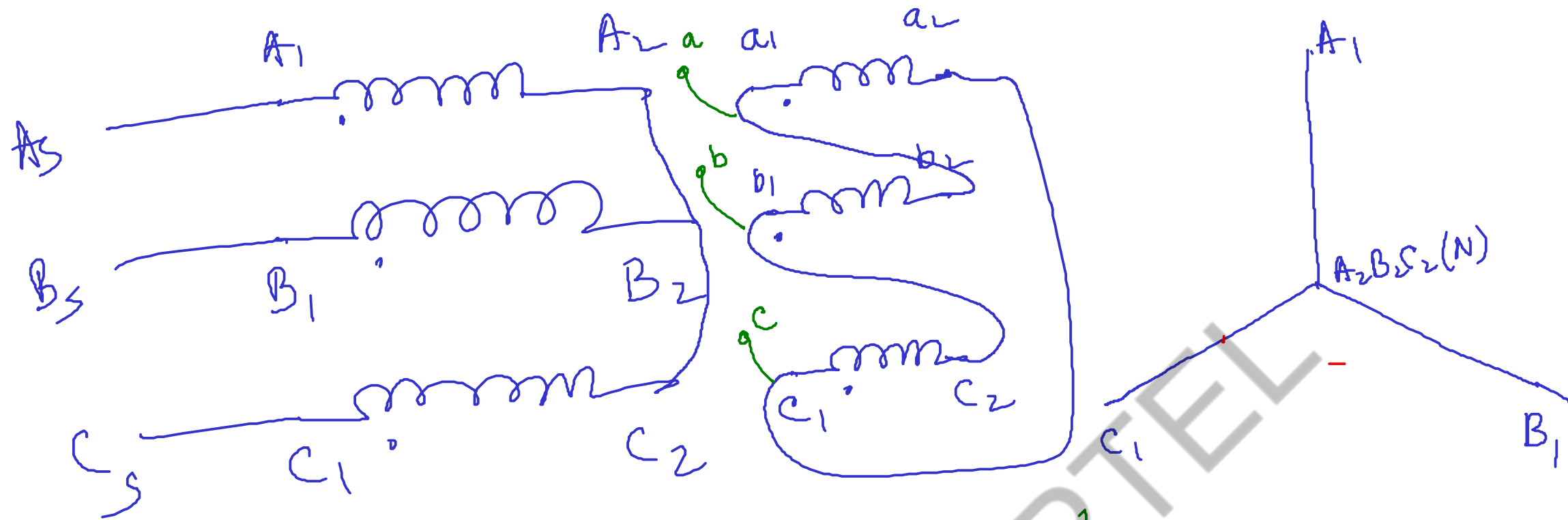
Y

$Y_d(-30^\circ)$

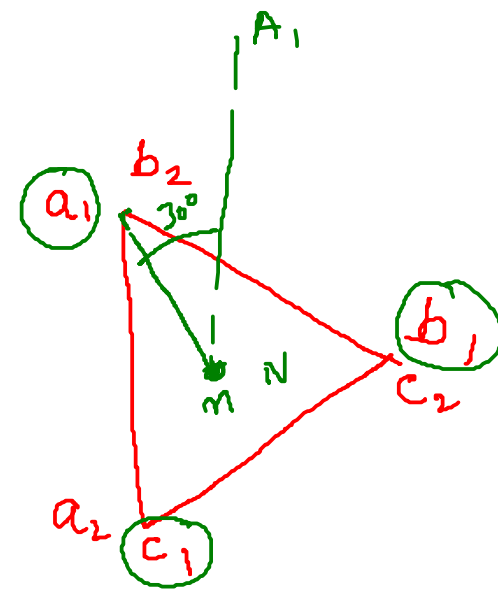


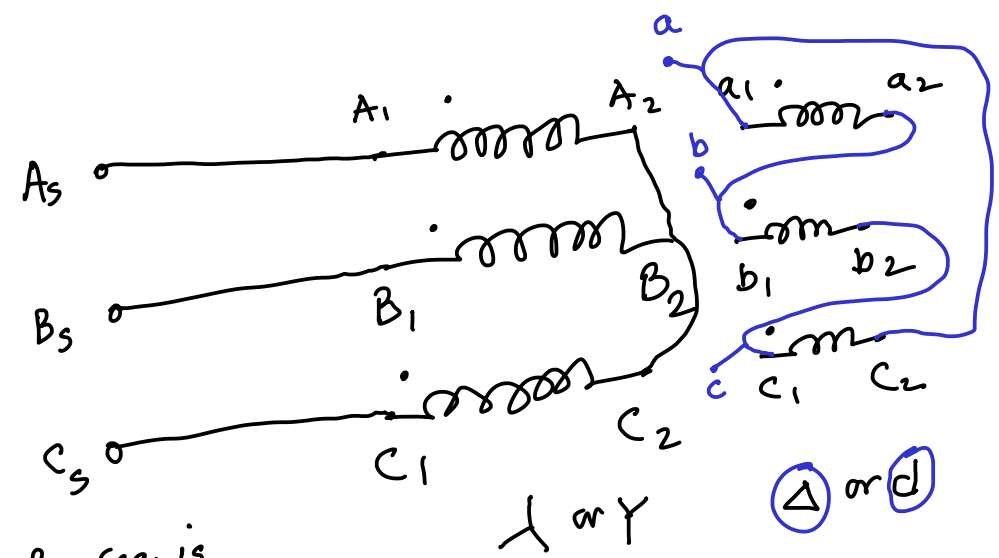
Δ
Vector group of 3-ph. tfo





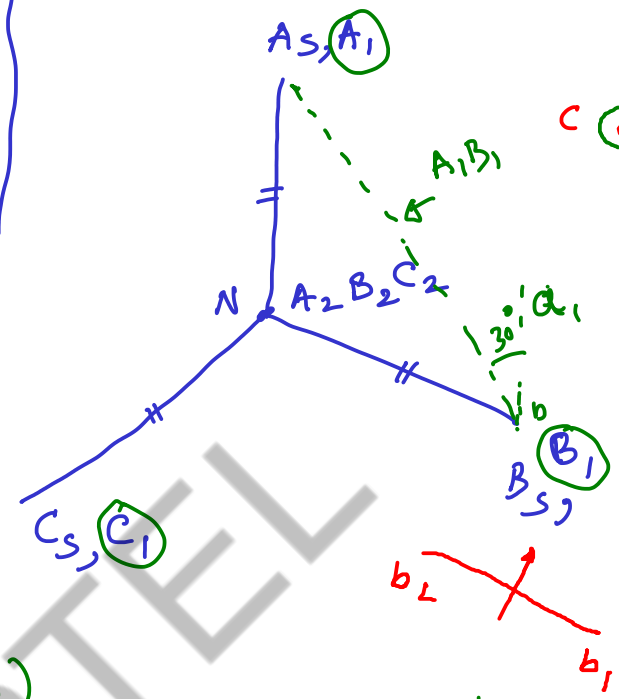
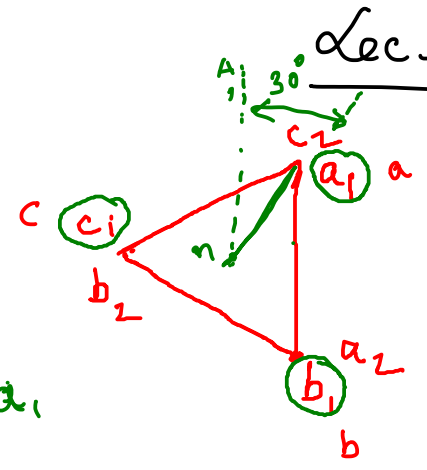
$Y_d (+30^\circ)$ → vector group.

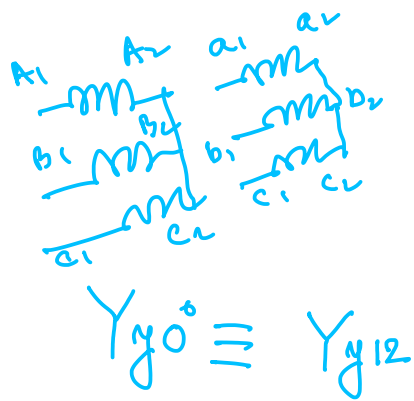
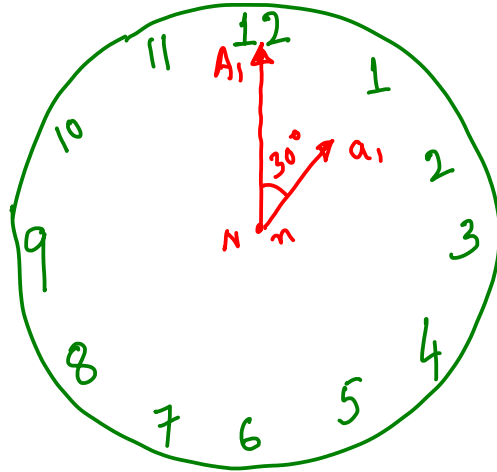




ph. seq. is
 $A_s - B_s - C_s$
 supply is
balanced

$Y_d (-30^\circ)$
 (Vector group) $\rightarrow$ clock convention





$$Y_d (-30^\circ) \\ \Rightarrow Y_d \uparrow$$

Clock

ϕ

Minute hand is

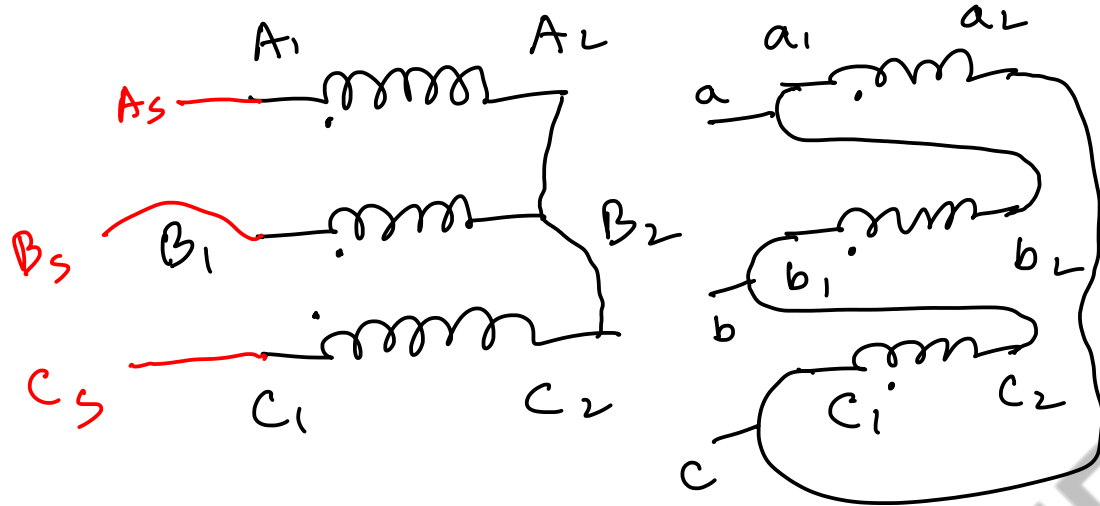
Shown at 12 $\rightarrow$ Primary side

A_1 or A_s - ph. voltage
wrt neutral (N)

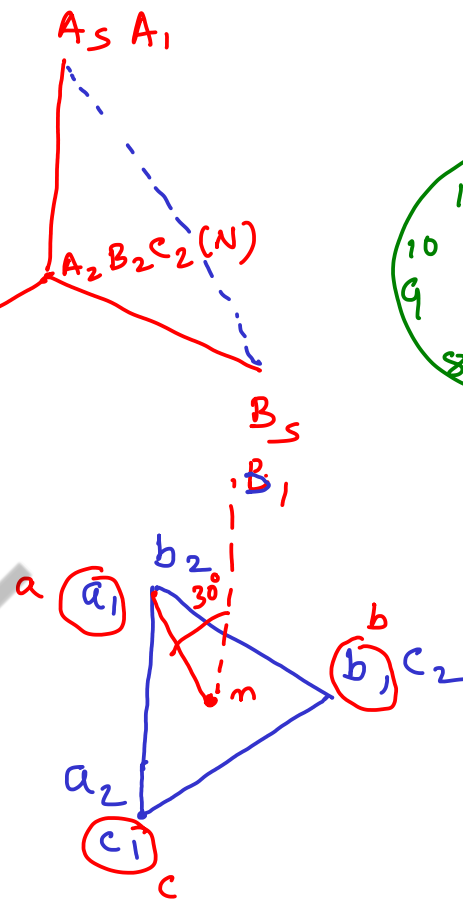
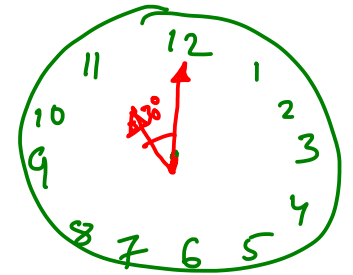
Show The hour hand
representing The secondary

a or a_1 voltage wrt
neutral of The 2ndary side.
For delta connection use artificial
neutral (n)

Star delta connection :-

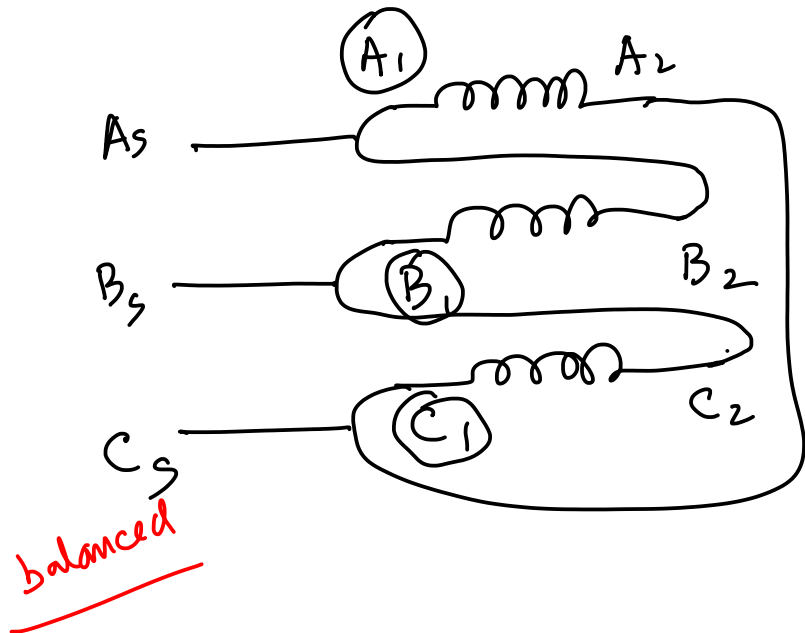
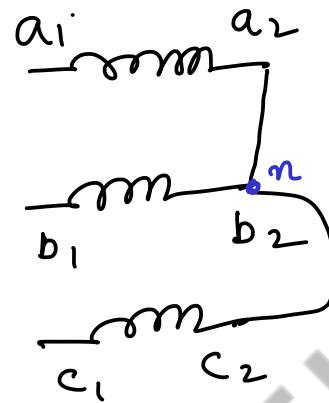
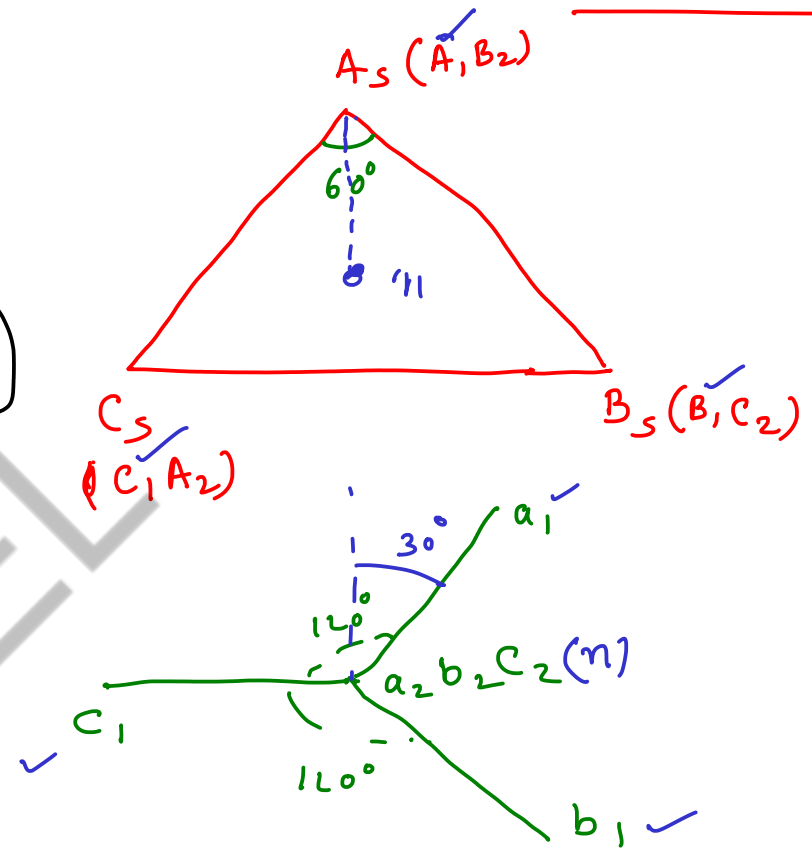


$$Y_d (+30^\circ) \text{ or } \frac{Y_d 11}{Y_{d1}}$$

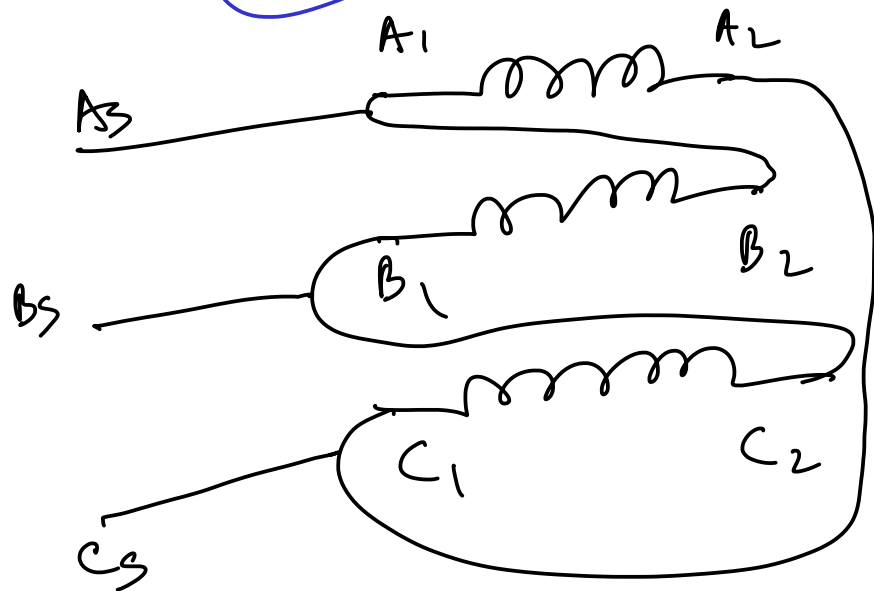
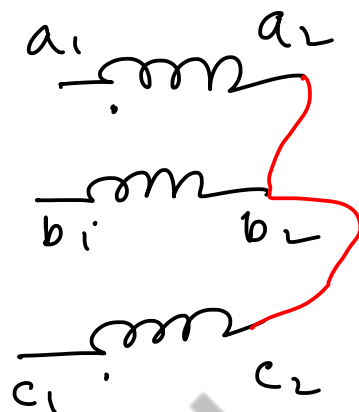
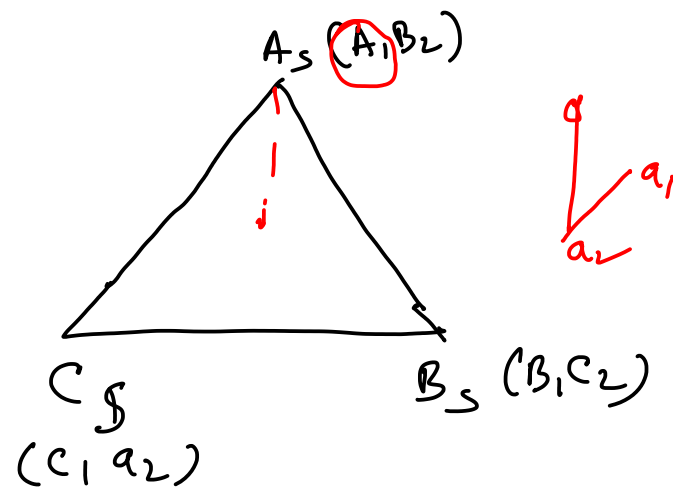
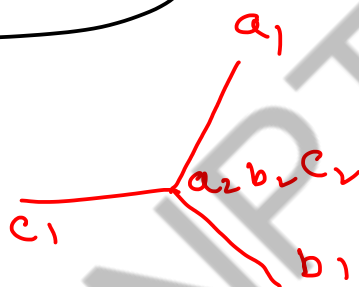
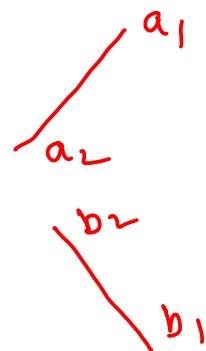


Dy (-30°) or Dy1

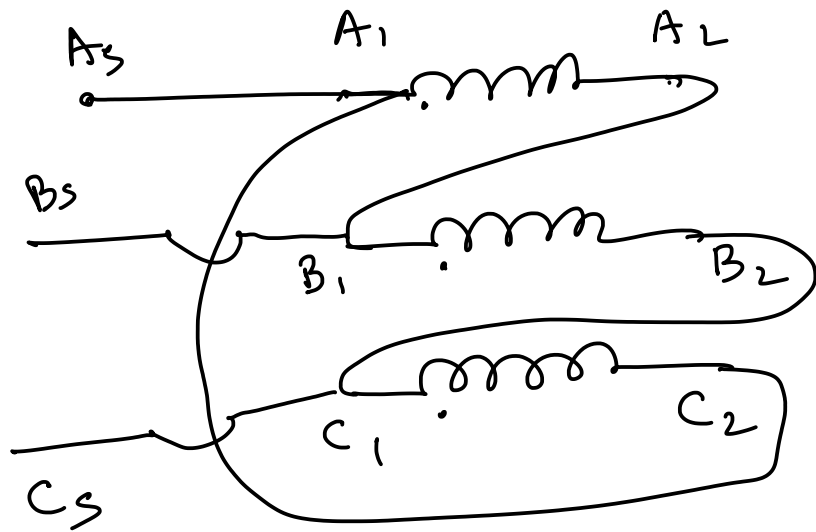
lec-38



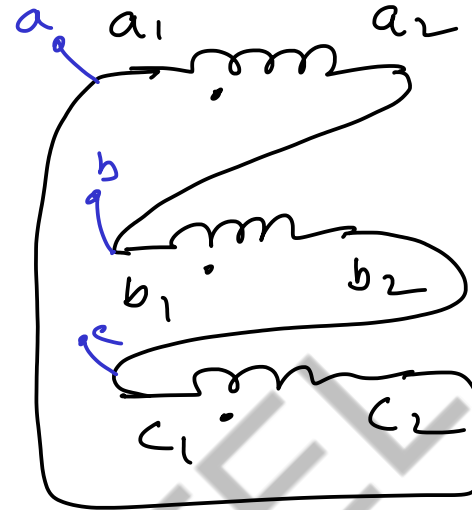
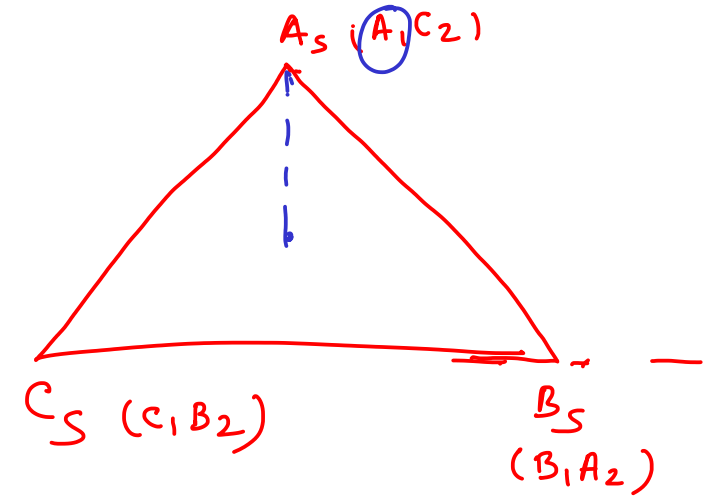
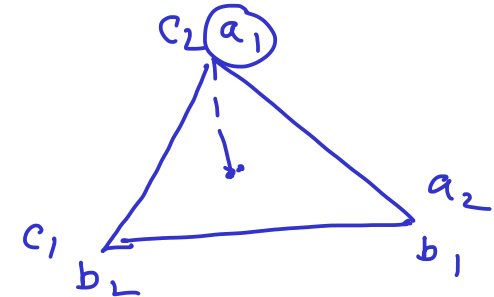
Dy1



Delta-Delta connection :-



$Dd0^\circ$

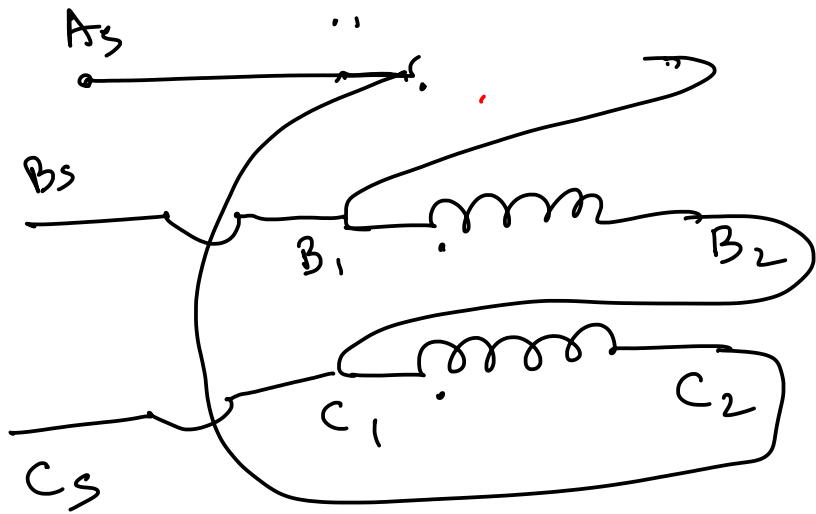
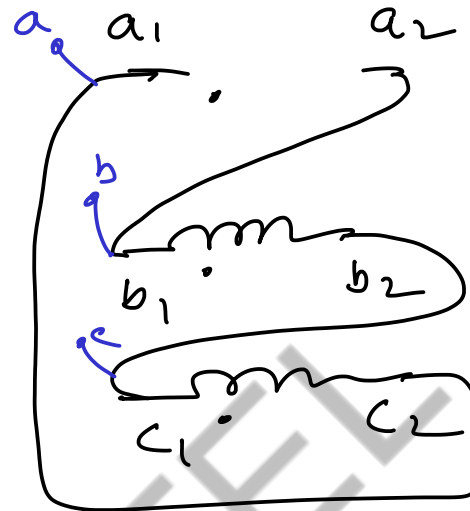
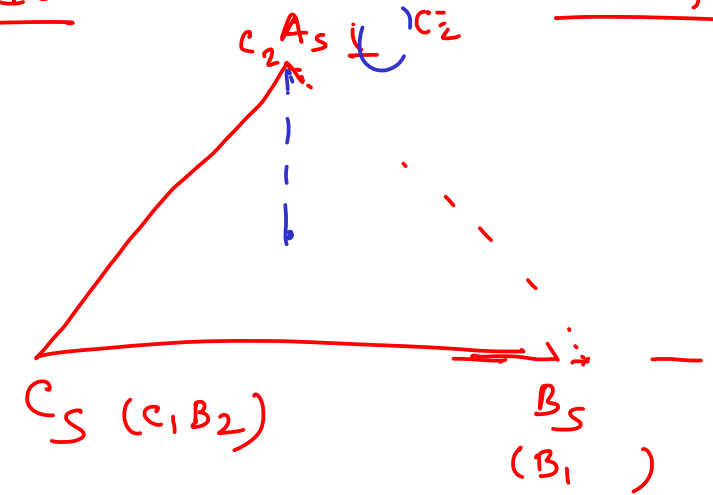


A bank of 3-1ph. tfo

Delta-Delta connection :-

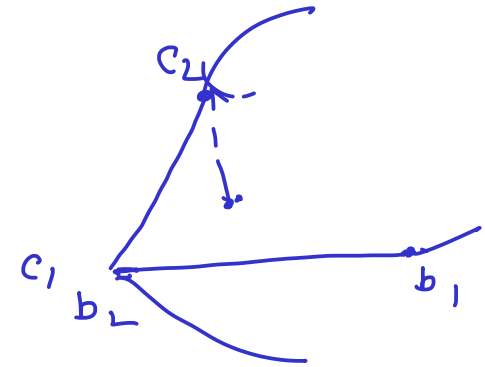
Dd0°

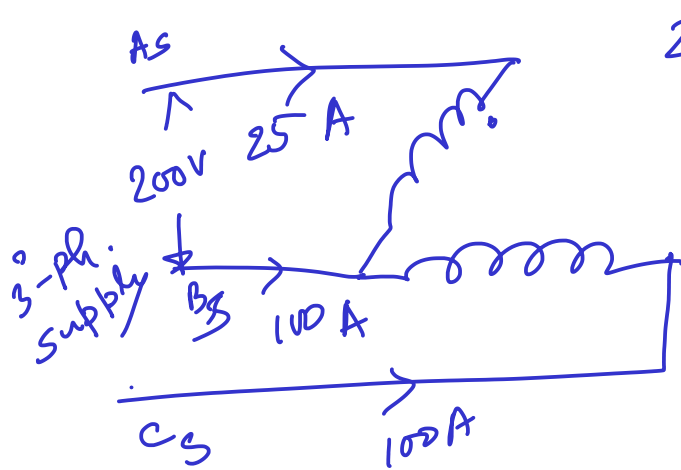
dec-39



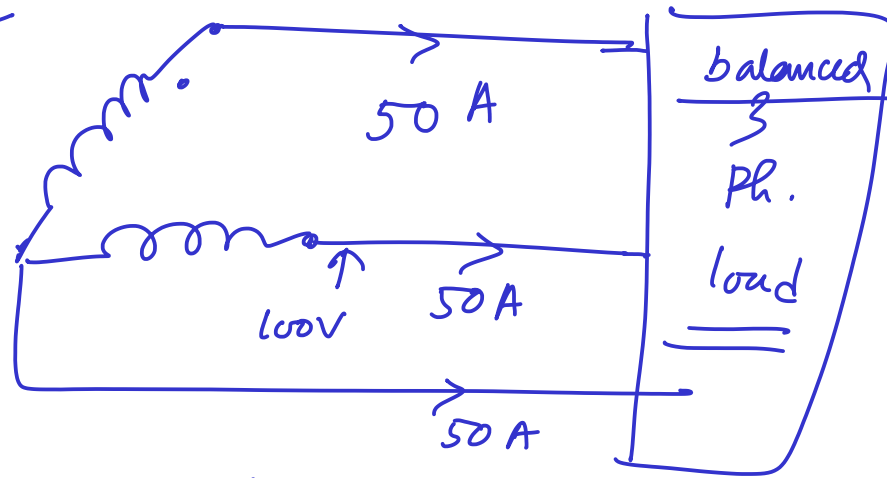
Dd0°

Open delta connection





2 no. of
tfo



Open
delta
Connection

$$\frac{\sqrt{3} \times 200 \times 25}{10 \times 1000}$$

$$= \frac{\sqrt{3}}{2} = \frac{1.732}{2}$$

$$= 0.865$$

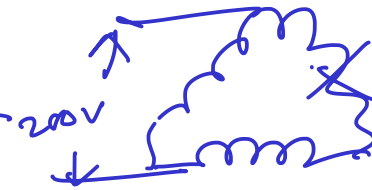
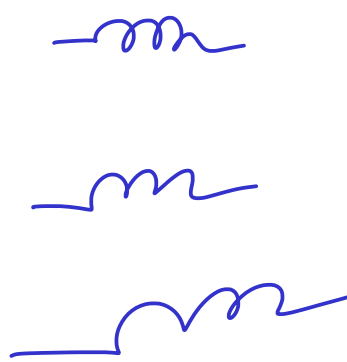
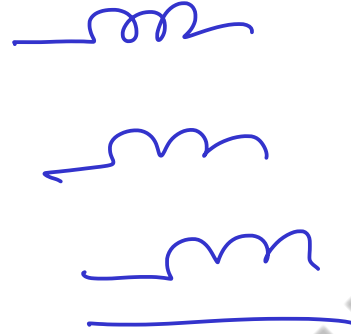
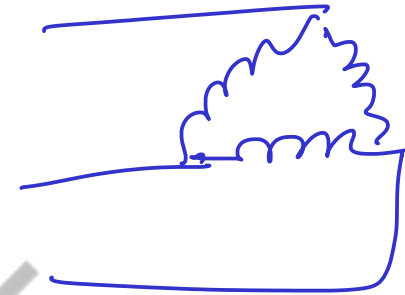
Rating of each tfo.

(5) kVA, 200V/100V 1 Ph 5 Hz
↓
50A
25A

Total kVA Handled by $\angle \angle$ connection
 $= \sqrt{3} V_{LL} I_L = \sqrt{3} \times 100 \times 50 = \sqrt{3} \times 200 \times 25$
 $\approx 8.65 \text{ kVA}$

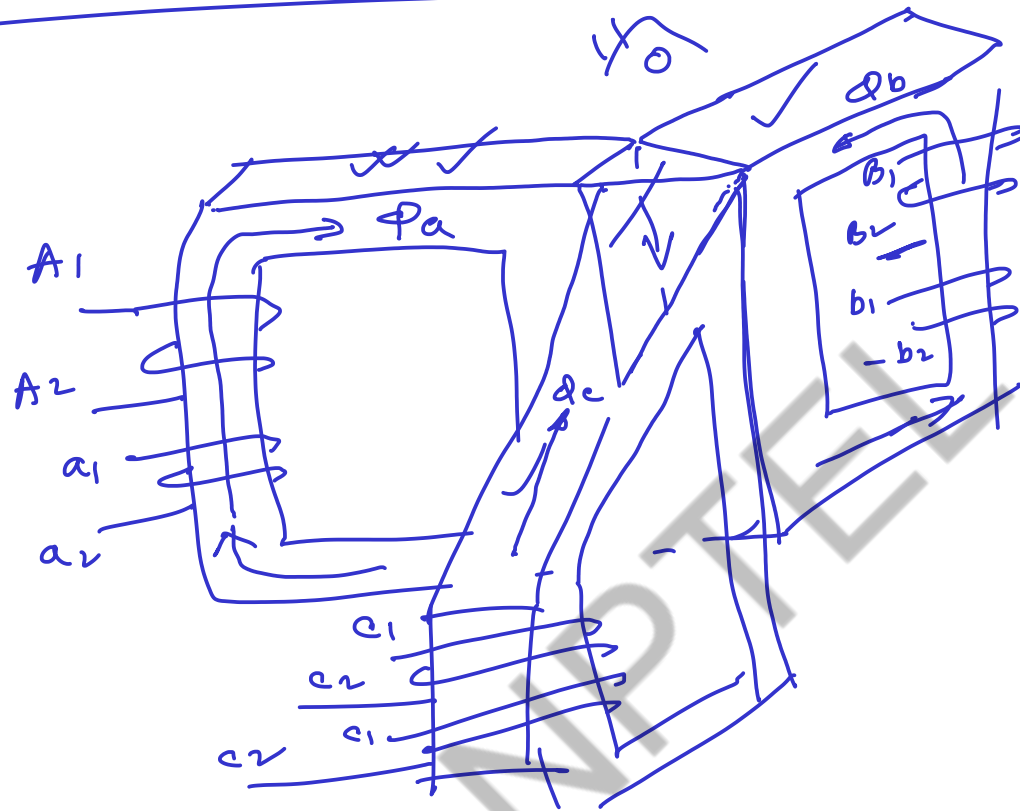
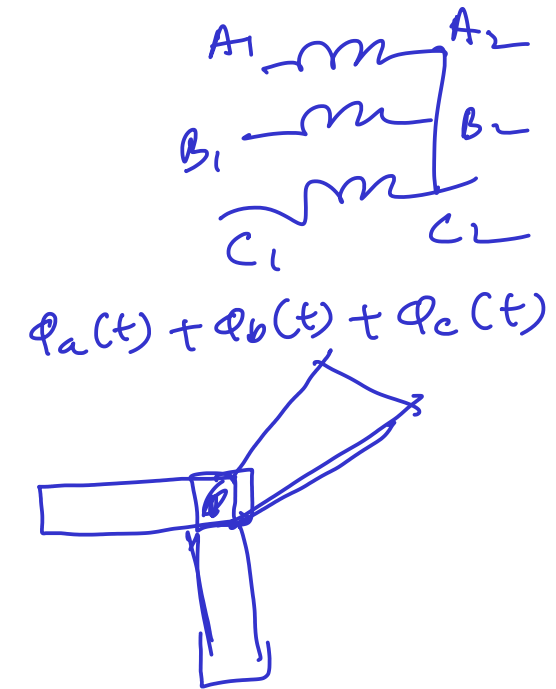
15 KVA

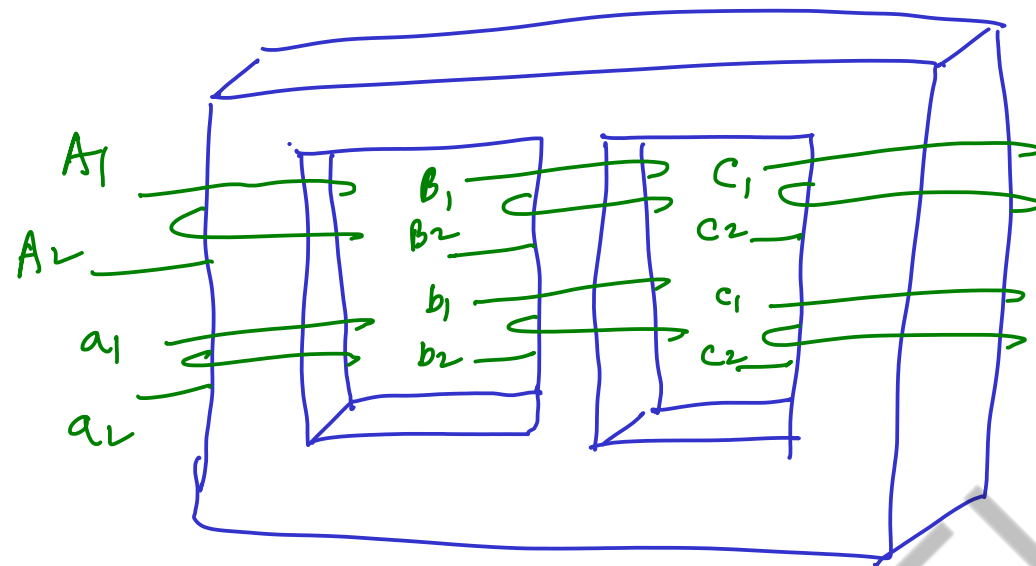
3 X 5KVA



4 no-s 5KVA → 1 don't come
4th spare unit

A 3-phase transformer as a single unit.



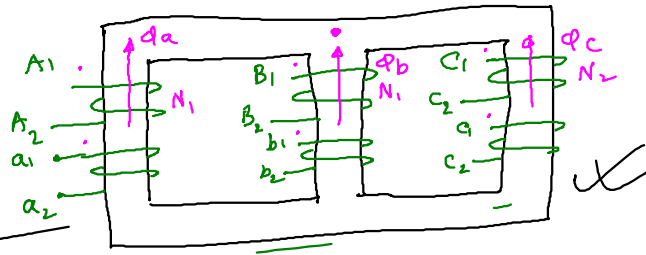
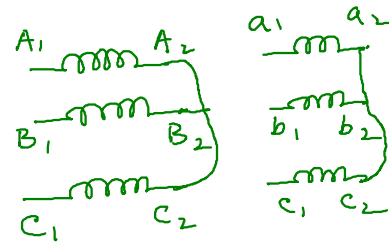
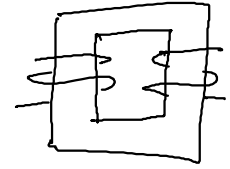


Core type
3-phase - f_o

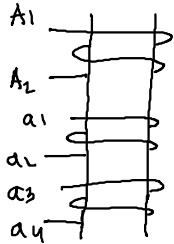
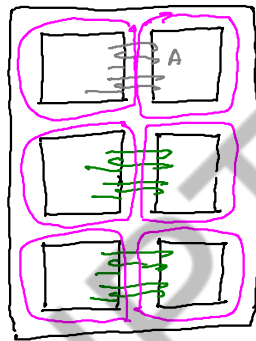
Three Phase transformer as a single unit

Core type

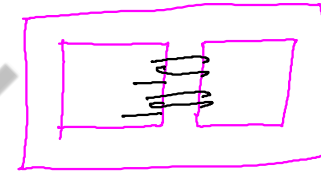
lec-40



Shell type



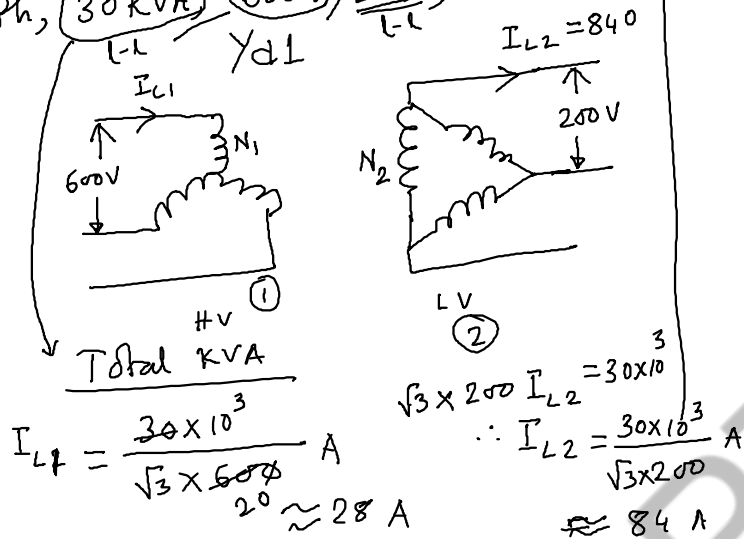
Shell Type



3ph
Shell
type

Name plate rating of a 3-phase tfo unit

3Ph, 30 kVA, 600V / 200V, 50Hz tfo
L-L Yd1



Turns ratio of HV & LV windings per phase:-

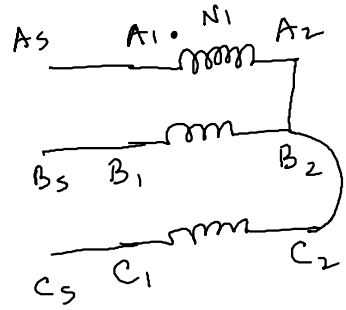
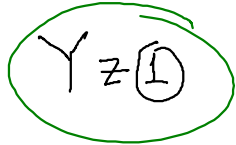
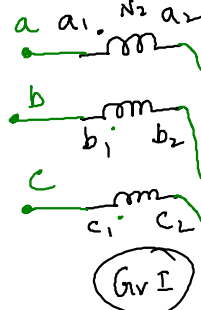
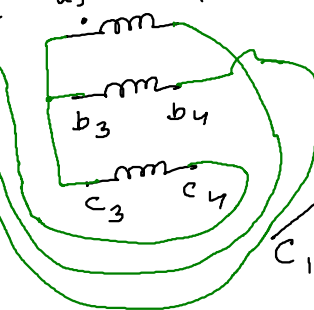
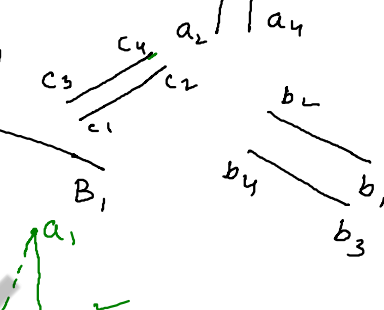
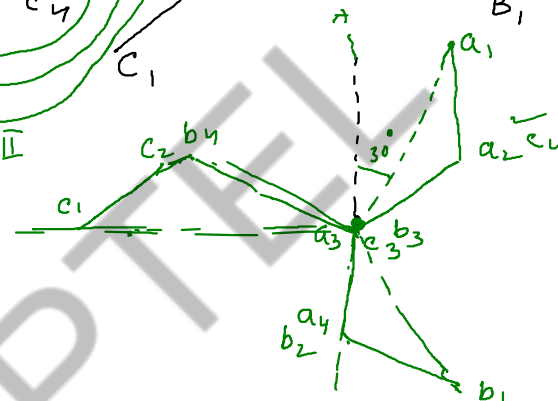
$$\frac{N_1}{N_2} = \frac{600/\sqrt{3}}{200} = \frac{3}{\sqrt{3}} = \sqrt{3}$$

$\therefore$ Rated currents of windings

$$I_{LV \text{ winding}} = \frac{84}{\sqrt{3}} \text{ A}$$

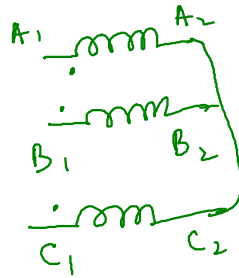
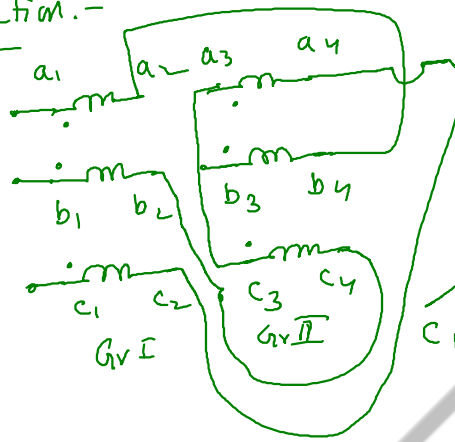
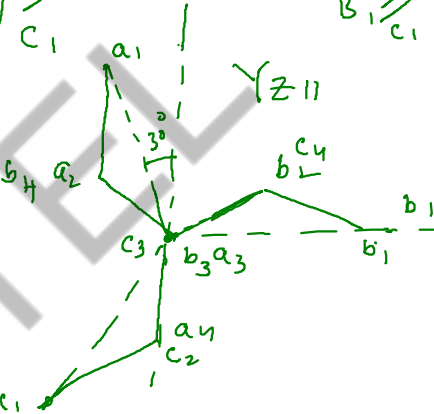
$$I_{HV \text{ winding}} = 28 \text{ A}$$

Zig Zag connection : (Z)

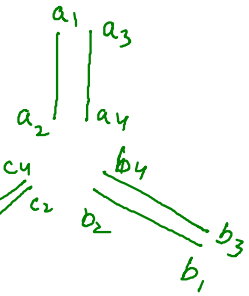


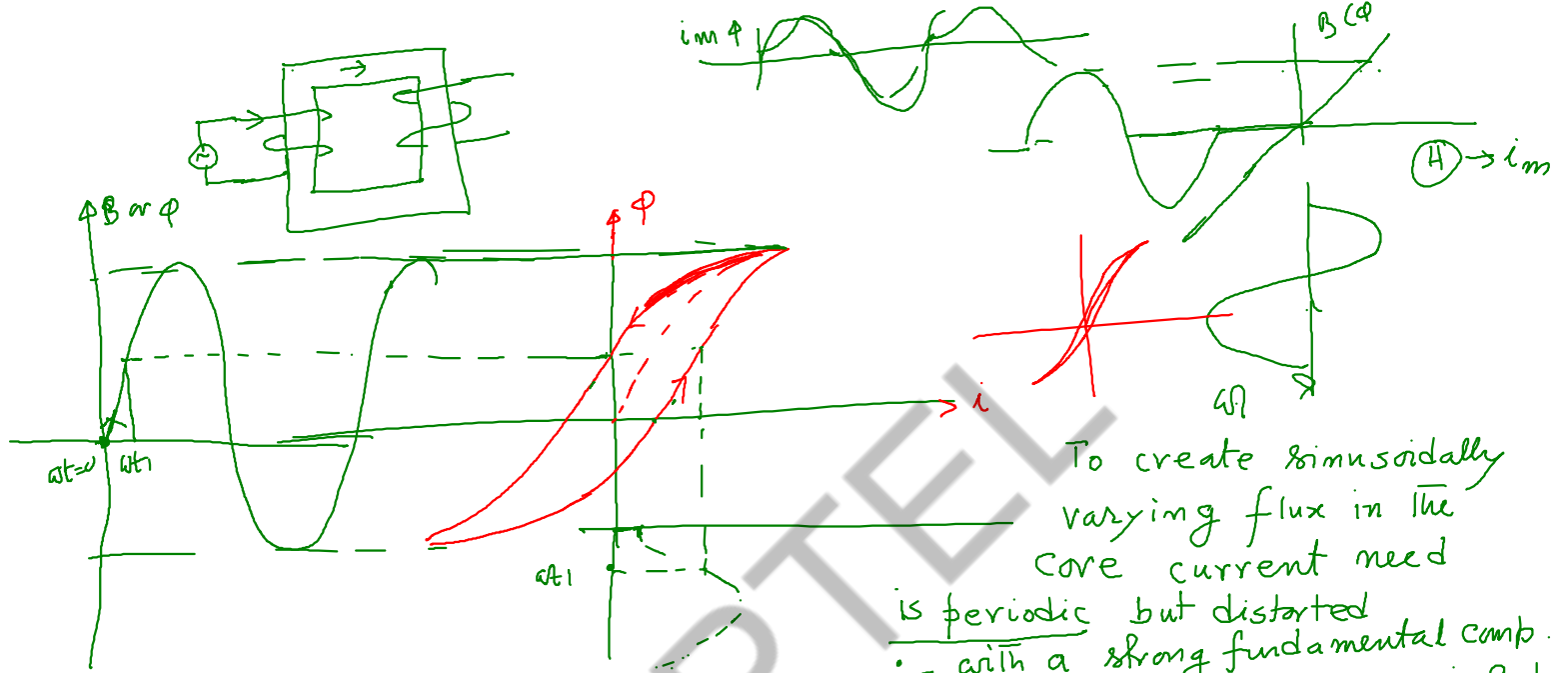
Zigzag connection:-

Y_{Z11}



dec 41

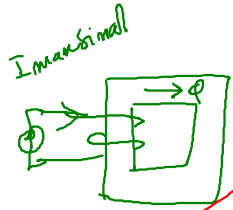




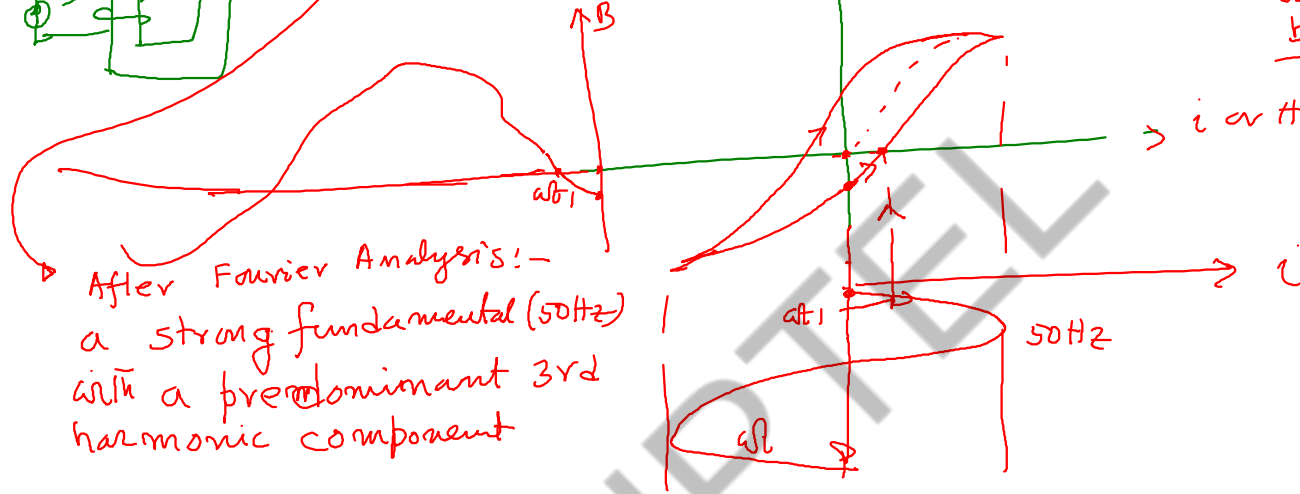
To create sinusoidally
varying flux in the
core current need
is periodic but distorted
:- with a strong fundamental comp.
with Predominant 3rd harmonic comp.

Reverse problem is:-

Exciting current is suppose sinusoidal (50Hz)
Then what will be the nature of B or ϕ ?



will be distorted
but periodic



After Fourier Analysis:-
a strong fundamental (50Hz)
with a predominant 3rd
harmonic component

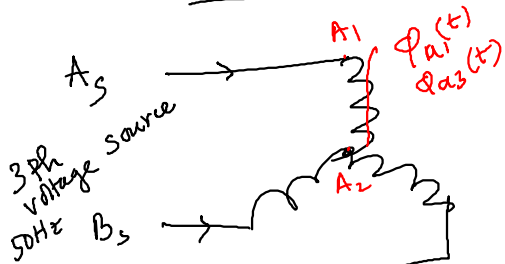
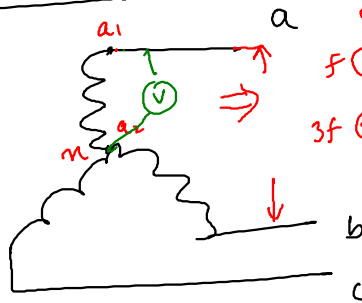
To create 50Hz flux, we require magnetising current
having 50Hz + 150 Hz comp

If magnetising current is forced
to be sinusoidal, core flux will be
a strong fundamental (50Hz)
+ 150Hz component of flux.

Δ - Δ connection

Ph voltage will have both 50Hz & 150Hz

Dec 42



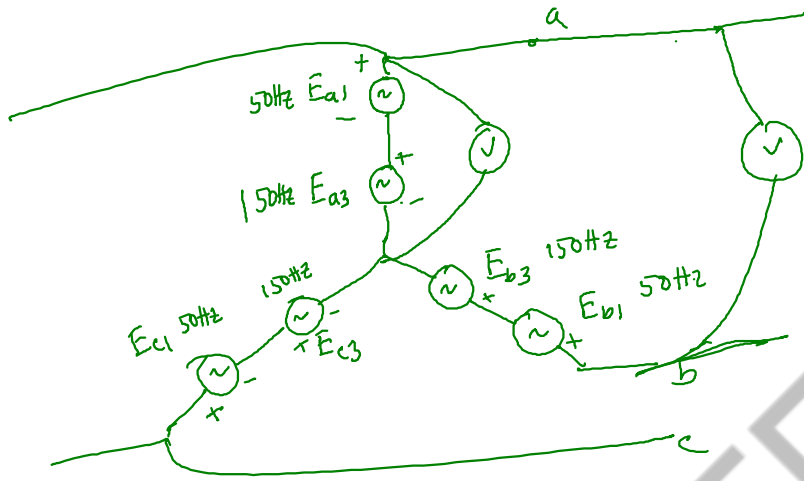
∴ Flux in the core will have both 50Hz & 150 Hz component

$$\begin{cases} \sqrt{2} \pi f \Phi_{max1} N_1 \rightarrow f \\ \sqrt{2} \pi 3f \Phi_{max3} N_1 \rightarrow 3f \end{cases}$$

In the line 150Hz comp. of current will not flow.

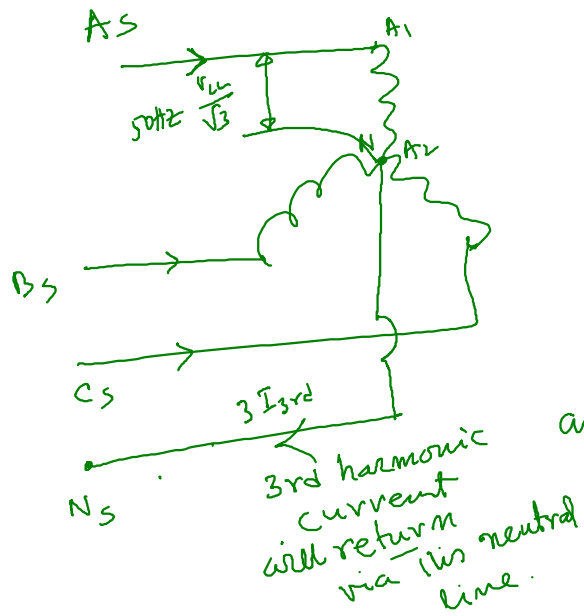
Because 3rd harmonic currents are co-phasal.
So magnetising current will be sinusoidal of 50Hz

$$\begin{aligned} i_a &= I_{m3} \sin 3\omega t \\ i_b &= I_{m3} \sin 3(\omega t - 120^\circ) = I_{m3} \sin \omega t \\ i_c &= I_{m3} \sin 3(\omega t + 120^\circ) = I_{m3} \sin \omega t \end{aligned}$$

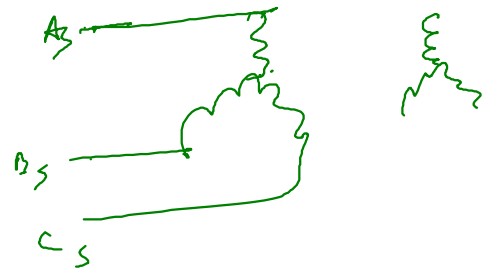


In The line-to-line voltage 3rd component will be absent

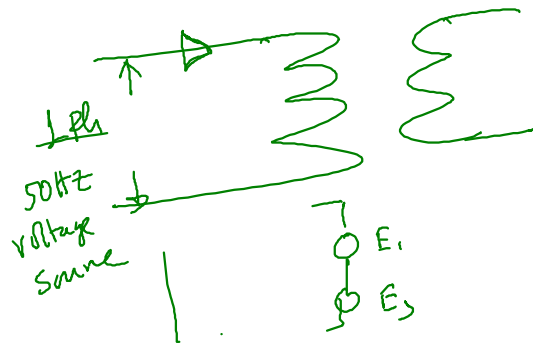
$$\sqrt{3}|E_{a1}|$$



Core flux is forced to be sinusoidal (50Hz) and magnetising current $50\text{Hz} + 150\text{Hz comp.}$ is it possible $\rightarrow$ yes



2-ph. tfo

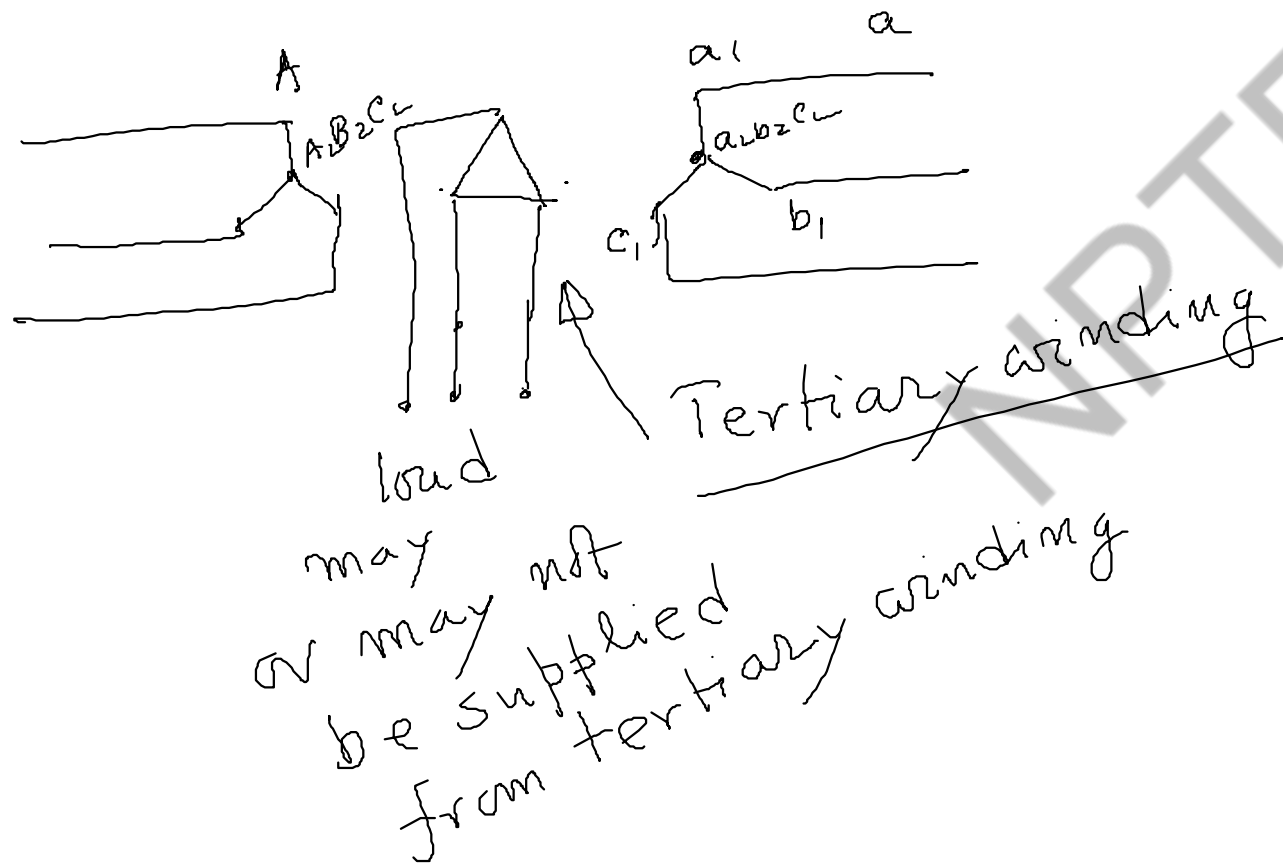


Core flux $\rightarrow$ 50Hz

NPTTEL

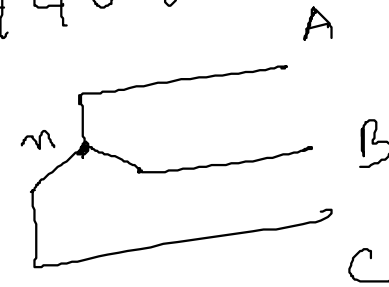
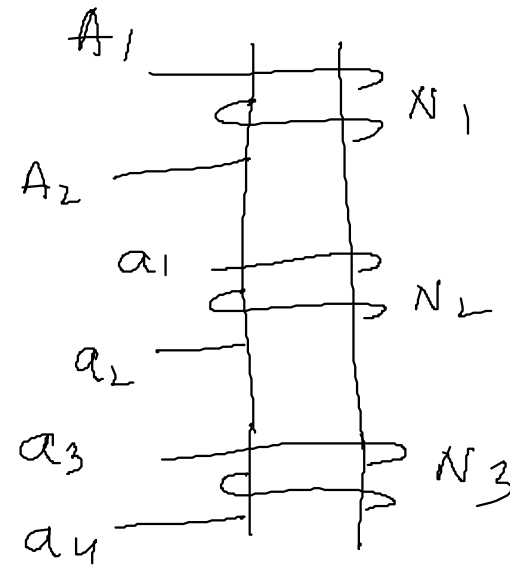
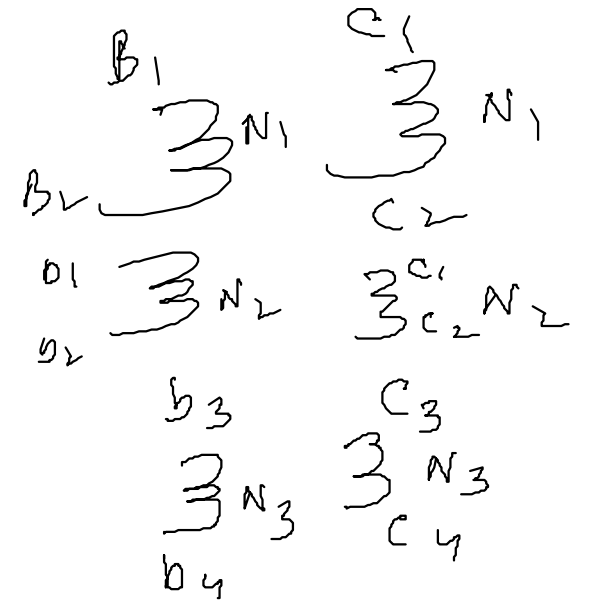
$$\underline{I_{3rd} = \frac{3 E_{3rd}}{r_2 + j3x_1}}$$

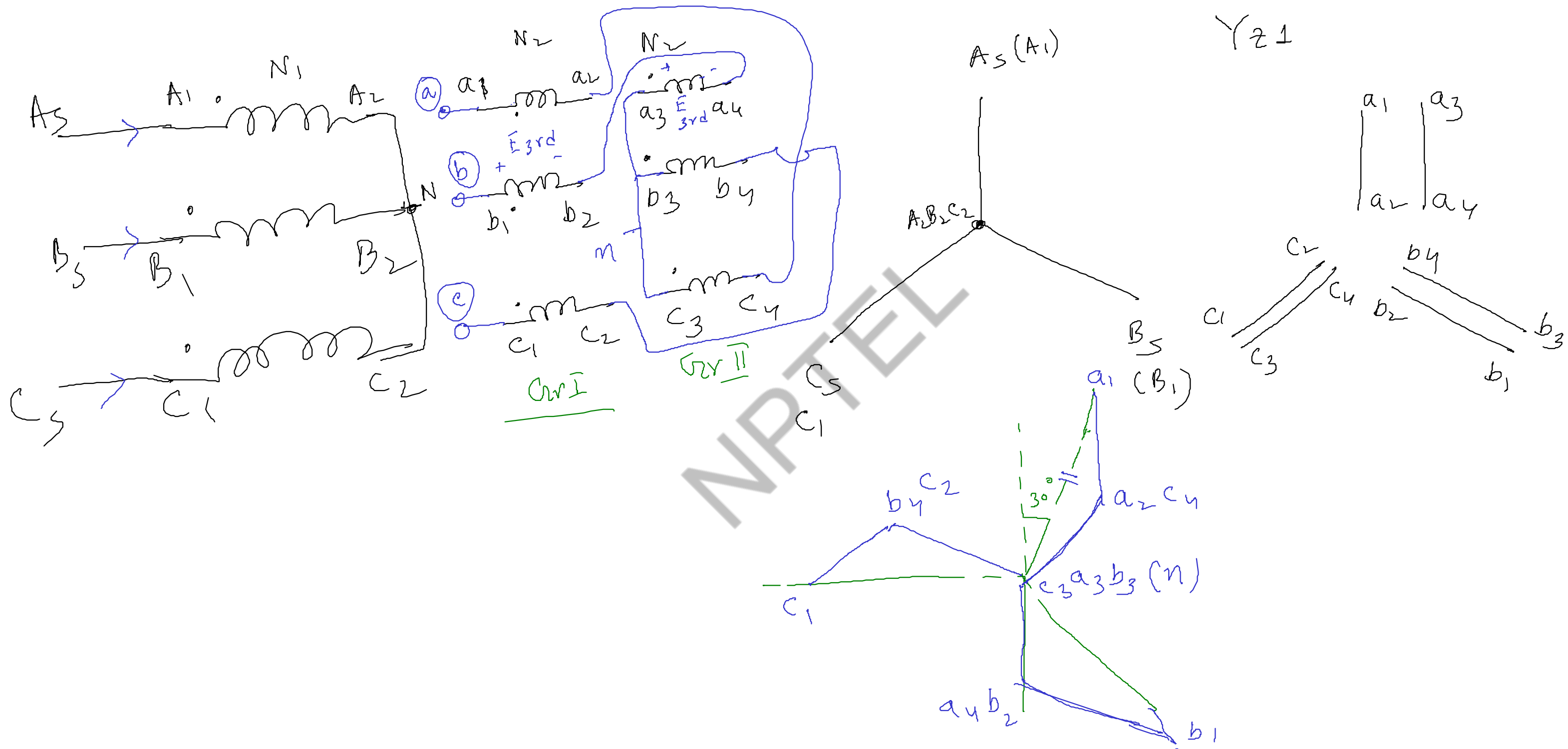
HV $\rightarrow$ star $\star$
 LV $\rightarrow$ delta Δ



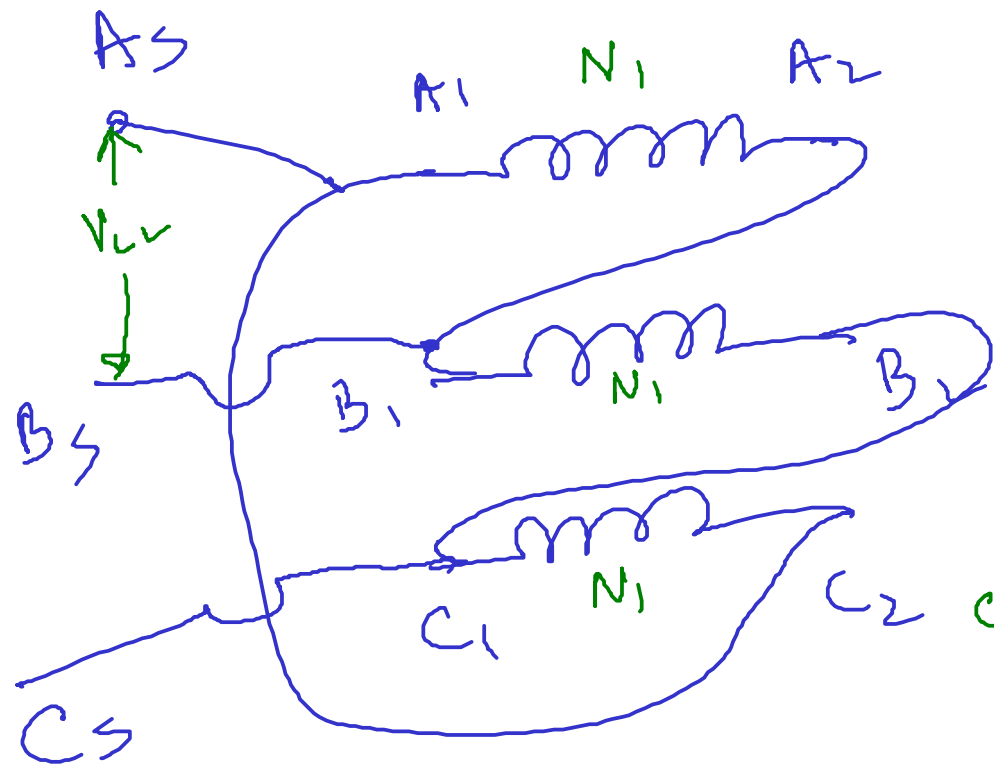
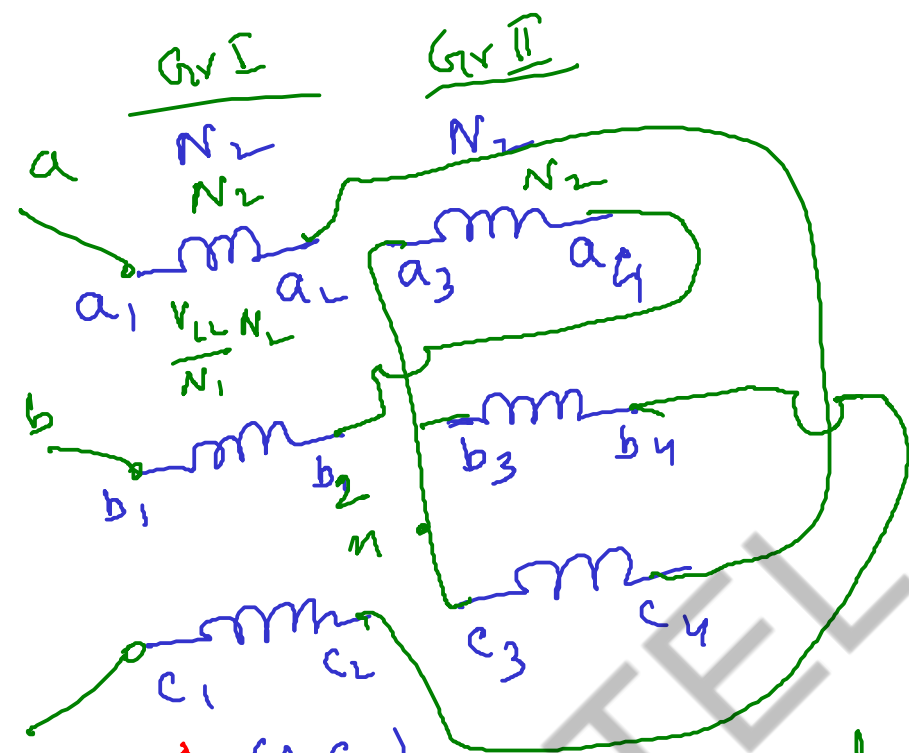
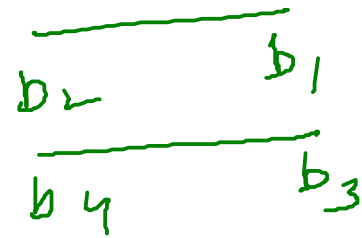
dec-44

6.6 KV / 440 V





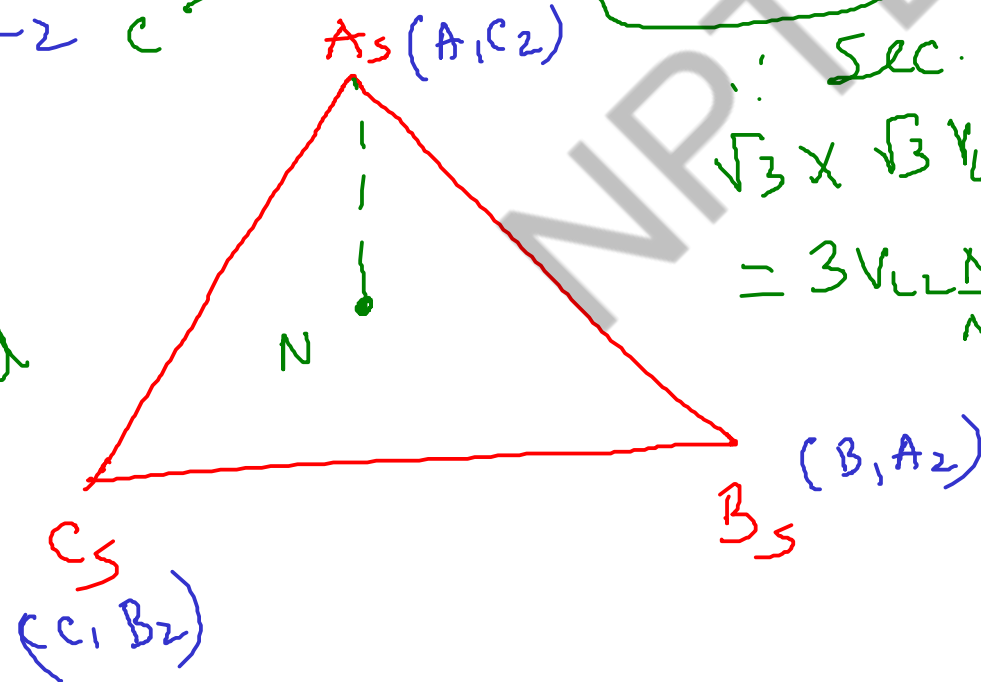
$D 20^\circ$



Secondary
Phase voltage

$\frac{V_{LL}}{N_1}$ across each sec. coil

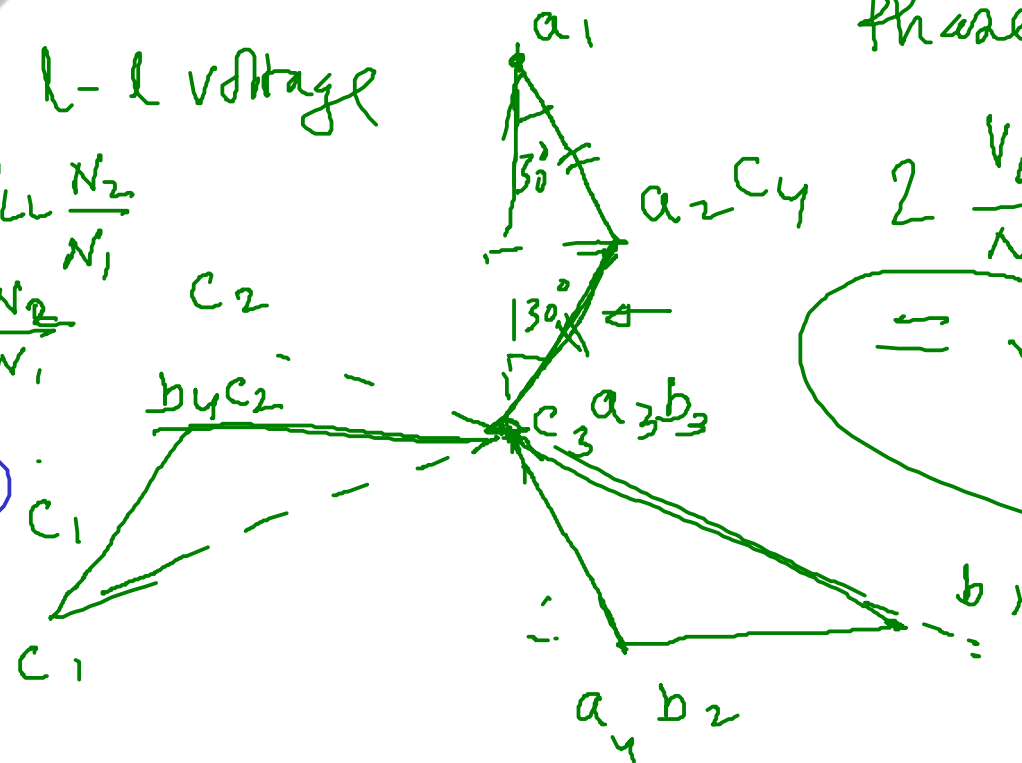
$\frac{V_{LL} N_2}{N_1}$



Sec. l-l voltage

$$\sqrt{3} \times \sqrt{3} \frac{V_{LL} N_2}{N_1}$$

$$= 3 \frac{V_{LL} N_2}{N_1}$$



$2 \frac{V_{LL} N_2}{N_1} \cos 30^\circ$

$= \sqrt{3} \frac{V_{LL} N_2}{N_1}$